

Total and Linearly Polarized Synchrotron Emission from Overpressured Magnetized Relativistic Jets

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RMHD code (I): Code characteristics

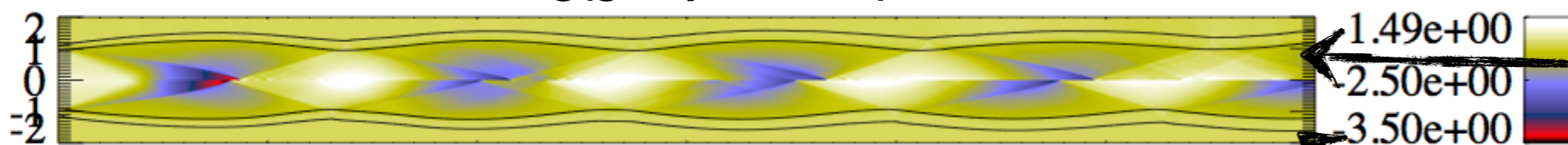
Second-order, conservative, finite-volume, constrained-transport code based on high-resolution shock-capturing techniques.

**Code and tests details: [Martí 2015a, 2015b](#)
State-of-art of numerical RMHD: [Martí and Müller 2015](#)**

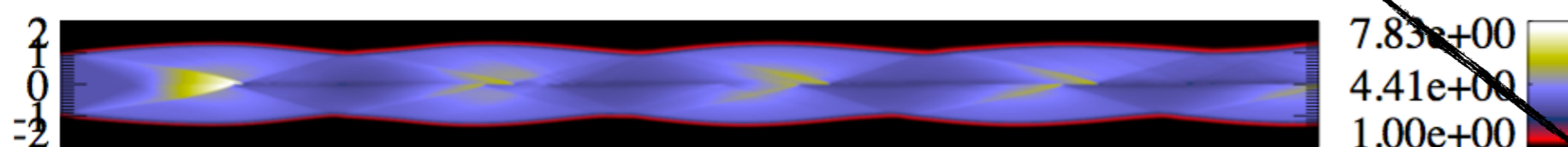
Quasi-one-dimensional approximation of the steady-state equations of RMHD (based on [Komissarov et al. 2015](#)) valid as long as:

- The radial dimension of the flow is much smaller than the axial one: $r \ll z$
- The flow is relativistic in the axial direction: $v^r, v^\phi \ll v^z \sim c$
- Consistency with the 1D version of the divergence free condition: $B^r \ll B^\phi, B^z$

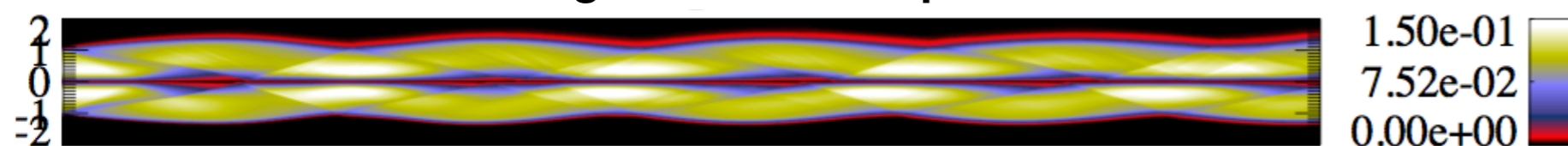
Log(gas pressure)



Lorentz factor



Toroidal magnetic field component



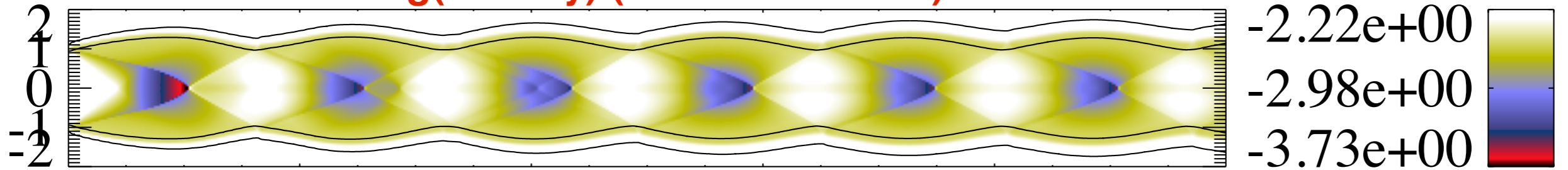
10 20 30 40 50

Top half-panels:
2D time-dependent
simulations
[Martí et al. 2016](#)

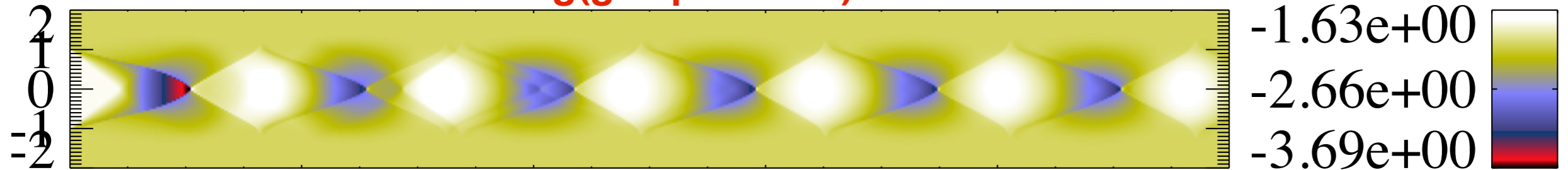
Bottom half-panels:
Q1D approximation

RMHD code (II): Internal structure

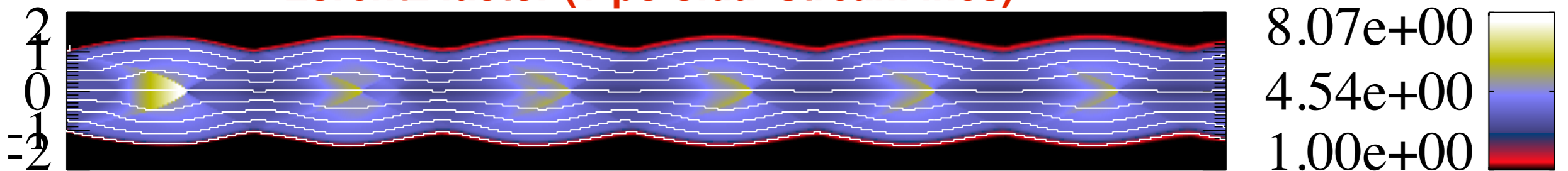
Log(density) (+ tracer contour)



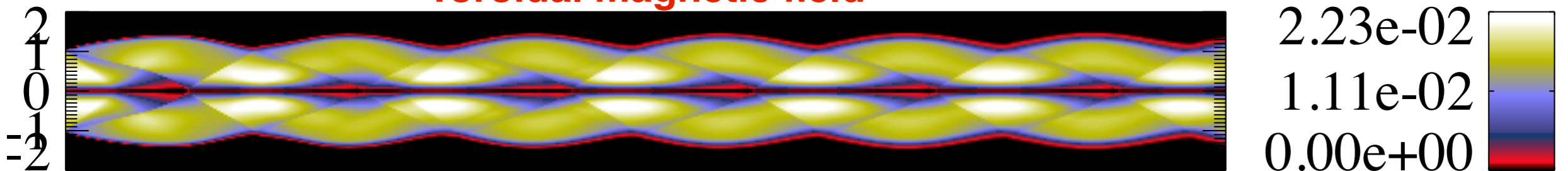
Log(gas pressure)



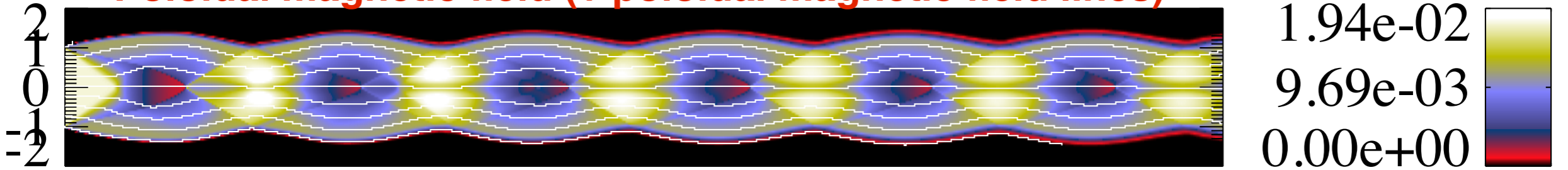
Lorentz factor (+ poloidal streamlines)



Toroidal magnetic field



Poloidal magnetic field (+ poloidal magnetic field lines)



20

40

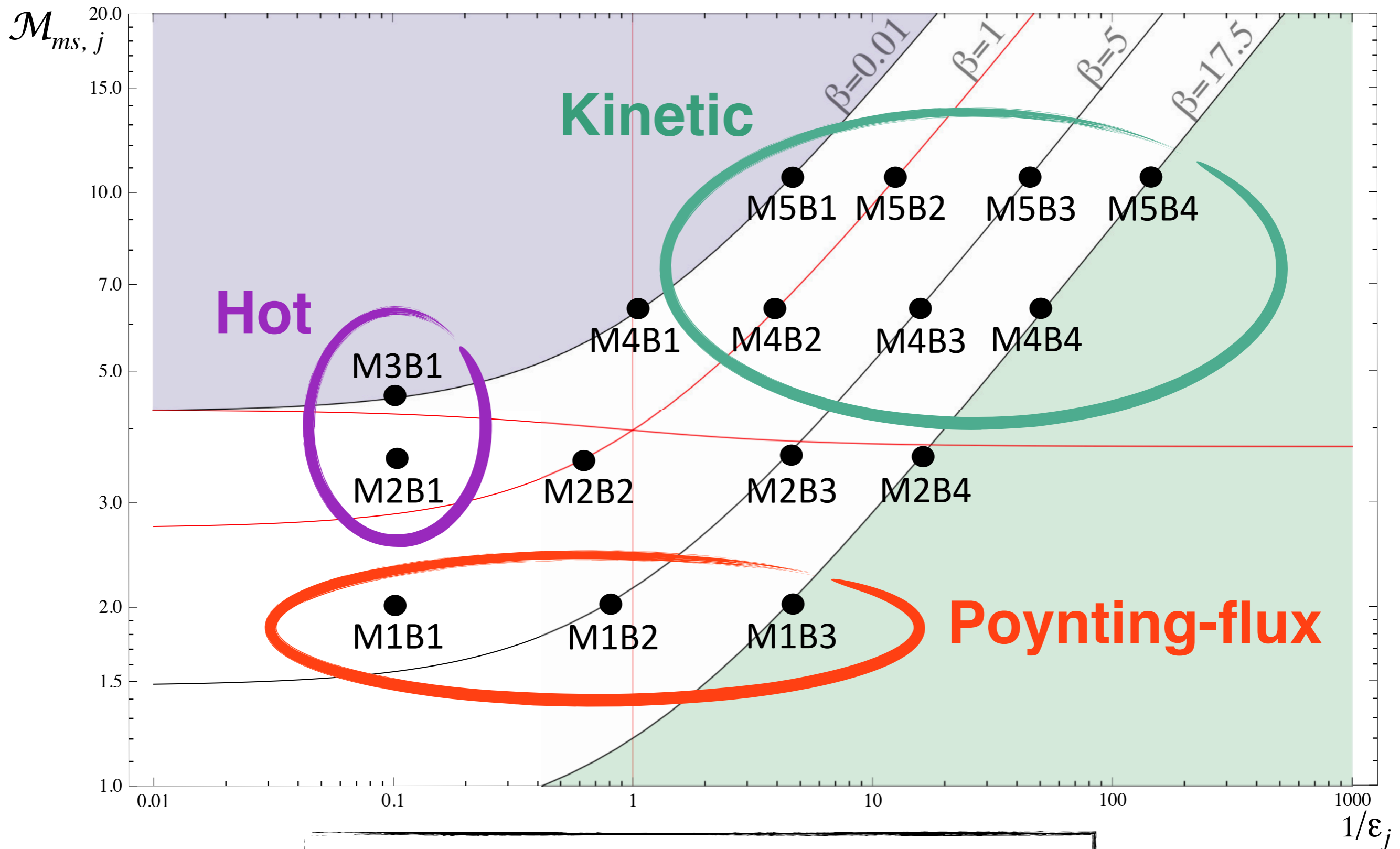
60

80

Parameters characterizing the models:

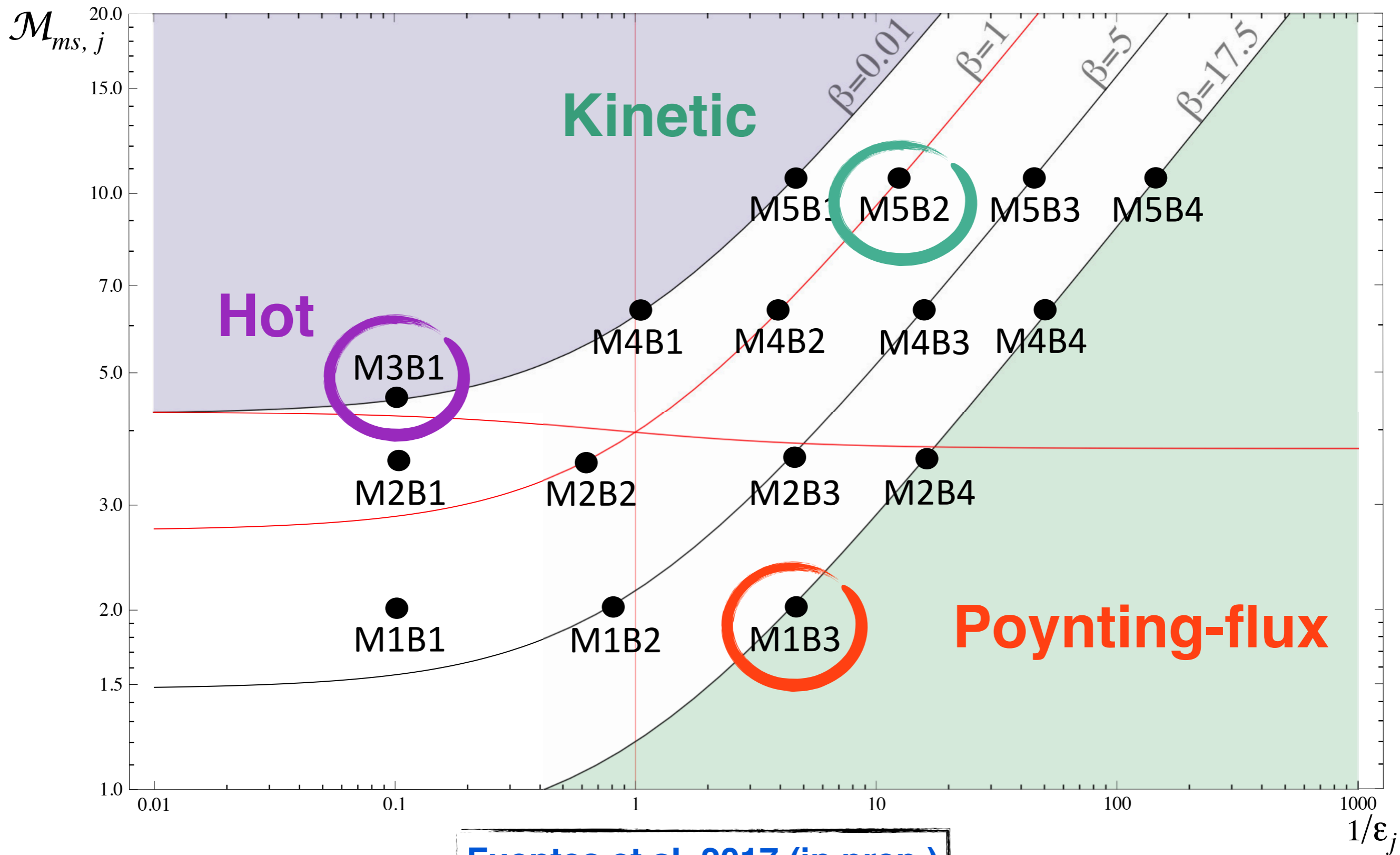
$$\rho_j, v_j, K, \mathcal{M}_{ms,j}, \beta_j, \phi_j$$

Magnetosonic Mach number - specific internal energy diagram



Extending the work presented in [Martí et al. 2016](#)

Jet models presented in this talk



Fuentes et al. 2017 (in prep.)

Radio emission (I): Calculations

Gómez et al. 1995, 1997, 2002

Non-thermal electrons energy distribution: $N(E)dE = N_0 E^{-\gamma} dE$

We solve the **transfer equations for synchrotron radiation** (Pacholczyk 1970) using as inputs the **RMHD values**, obtaining the Stokes parameters **I, Q, U (V=0)**

$$\varepsilon^{(i)} = \frac{1}{2} c_5(\gamma) N_o (B \sin \vartheta)^{(\gamma+1)/2} \left(\frac{\nu}{2c_1} \right)^{(1-\gamma)/2} \left[1 \pm \frac{\gamma+1}{\gamma+7/3} \right]$$
$$\kappa^{(i)} = c_6(\gamma) N_o (B \sin \vartheta)^{(\gamma+2)/2} \left(\frac{\nu}{2c_1} \right)^{-(\gamma+4)/2} \left[1 \pm \frac{\gamma+2}{\gamma+10/3} \right]$$

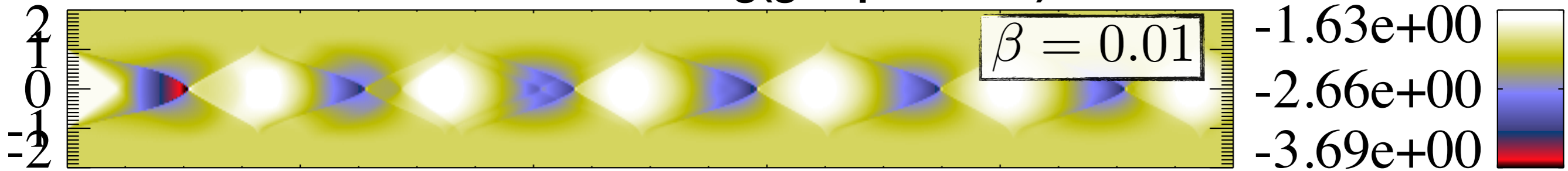
$$\frac{dI^{(a)}}{ds} = I^{(a)} \left[-\kappa^{(1)} \sin^4 \chi_B - \kappa^{(2)} \cos^4 \chi_B - \frac{1}{2} \kappa \sin^2 2\chi_B \right] + U \left[\frac{1}{4} (\kappa^{(1)} - \kappa^{(2)}) \sin 2\chi_B + \frac{d\chi_F}{ds} \right]$$
$$+ \varepsilon^{(1)} \sin^2 \chi_B + \varepsilon^{(2)} \cos^2 \chi_B,$$
$$\frac{dI^{(b)}}{ds} = I^{(b)} \left[-\kappa^{(1)} \cos^4 \chi_B - \kappa^{(2)} \sin^4 \chi_B - \frac{1}{2} \kappa \sin^2 2\chi_B \right] + U \left[\frac{1}{4} (\kappa^{(1)} - \kappa^{(2)}) \sin 2\chi_B - \frac{d\chi_F}{ds} \right]$$
$$+ \varepsilon^{(1)} \cos^2 \chi_B + \varepsilon^{(2)} \sin^2 \chi_B,$$
$$\frac{dU}{ds} = I^{(a)} \left[\frac{1}{2} (\kappa^{(1)} - \kappa^{(2)}) \sin 2\chi_B - 2 \frac{d\chi_F}{ds} \right] + I^{(b)} \left[\frac{1}{2} (\kappa^{(1)} - \kappa^{(2)}) \sin 2\chi_B + 2 \frac{d\chi_F}{ds} \right]$$
$$- \kappa U - (\varepsilon^{(1)} - \varepsilon^{(2)}) \sin 2\chi_B.$$

Accounting for **relativistic effects** such as **Lorentz transformations**, **Doppler boosting** and **light aberration**.

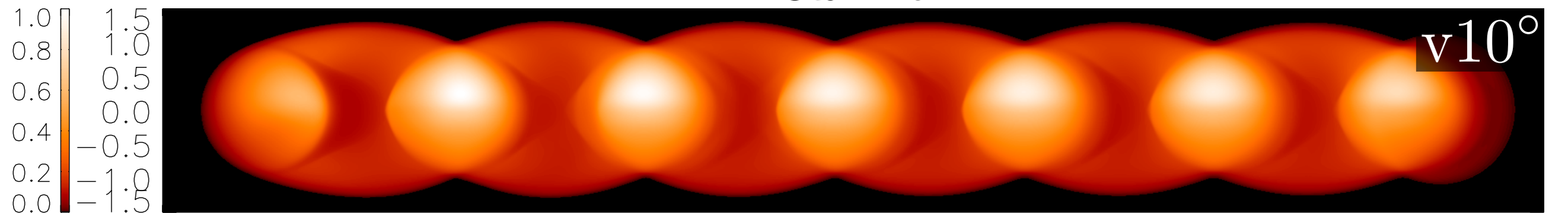
Radio emission (II): Synthetic images

M3B1 - Hot jet

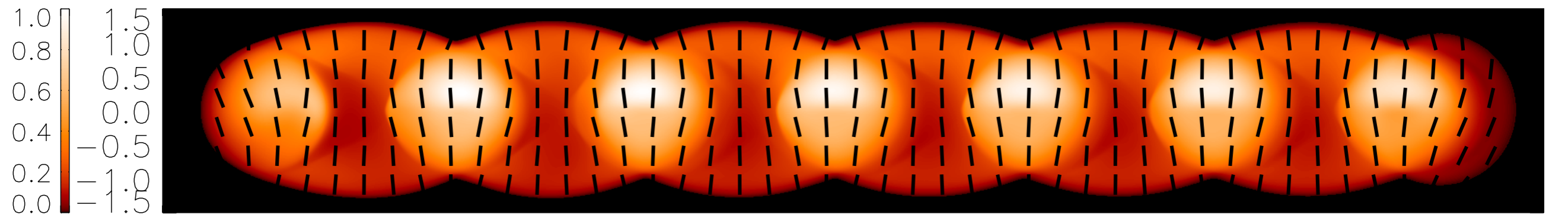
Log(gas pressure)



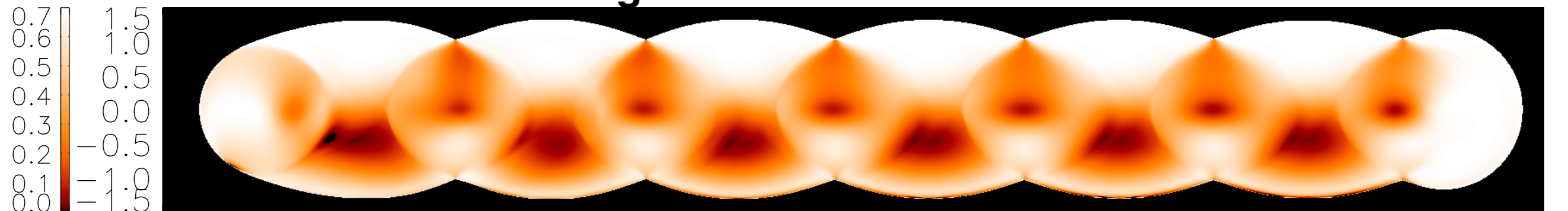
Total Flux



Polarized Flux



Degree of Linear Polarization

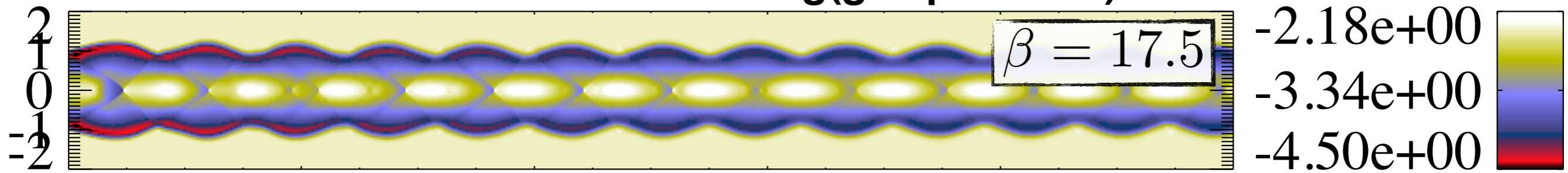


0 5 10 15 20

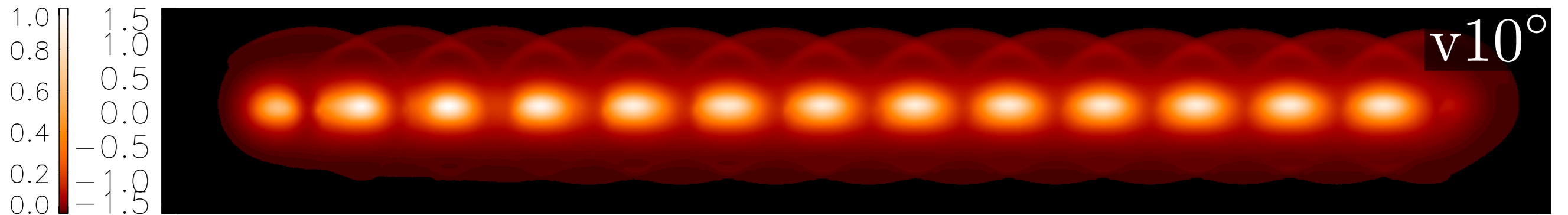
Radio emission (II): Synthetic images

M1B3 - Poyting-flux dominated jet

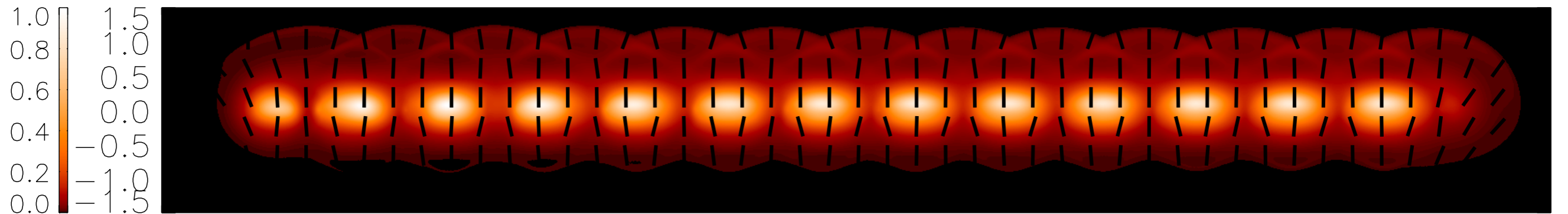
Log(gas pressure)



Total Flux



Polarized Flux



Degree of Linear Polarization



0

5

10

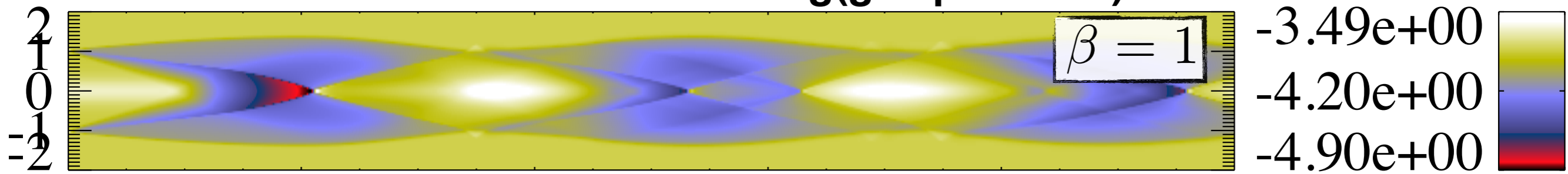
15

20

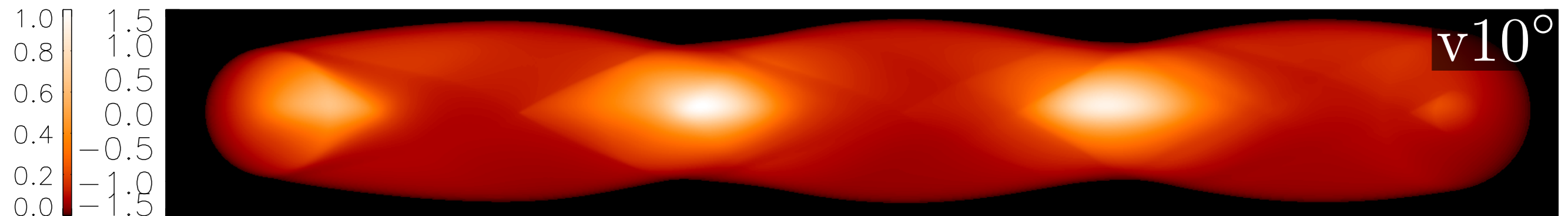
Radio emission (II): Synthetic images

M5B2 - Kinetically dominated jet

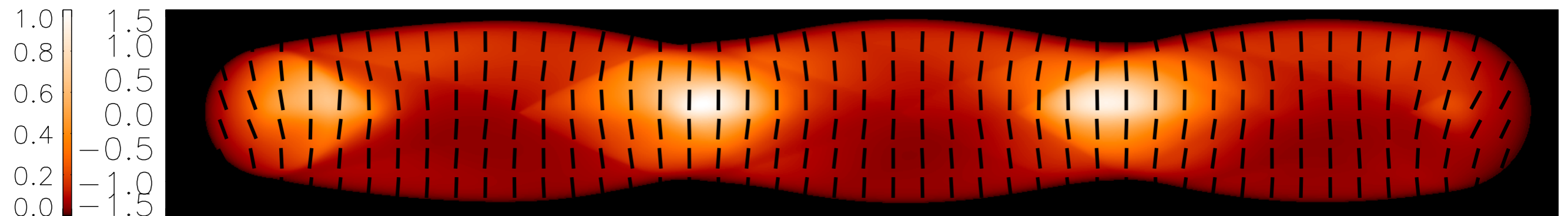
Log(gas pressure)



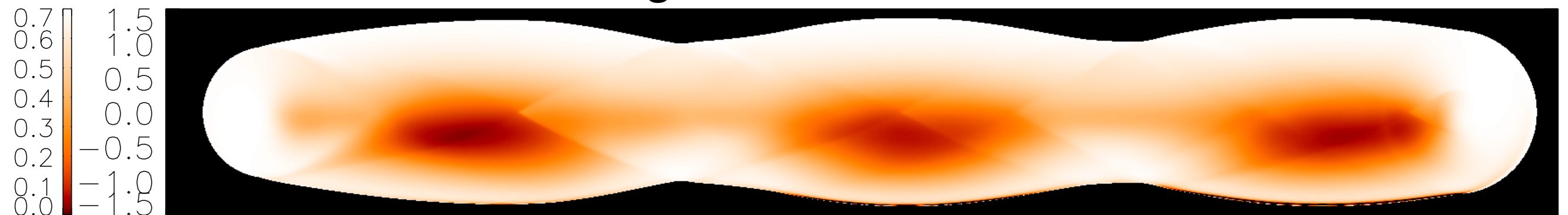
Total Flux



Polarized Flux



Degree of Linear Polarization



0

5

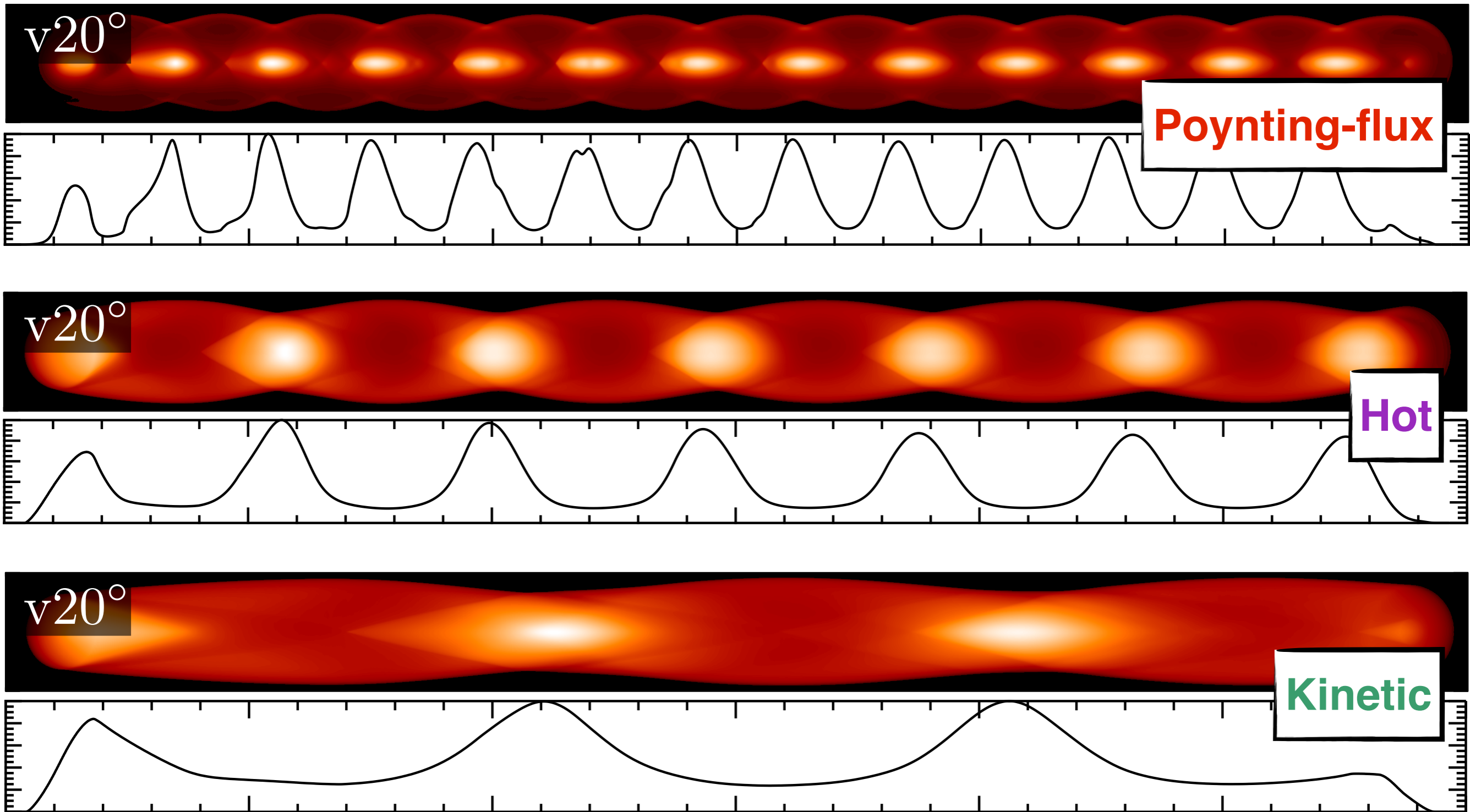
10

15

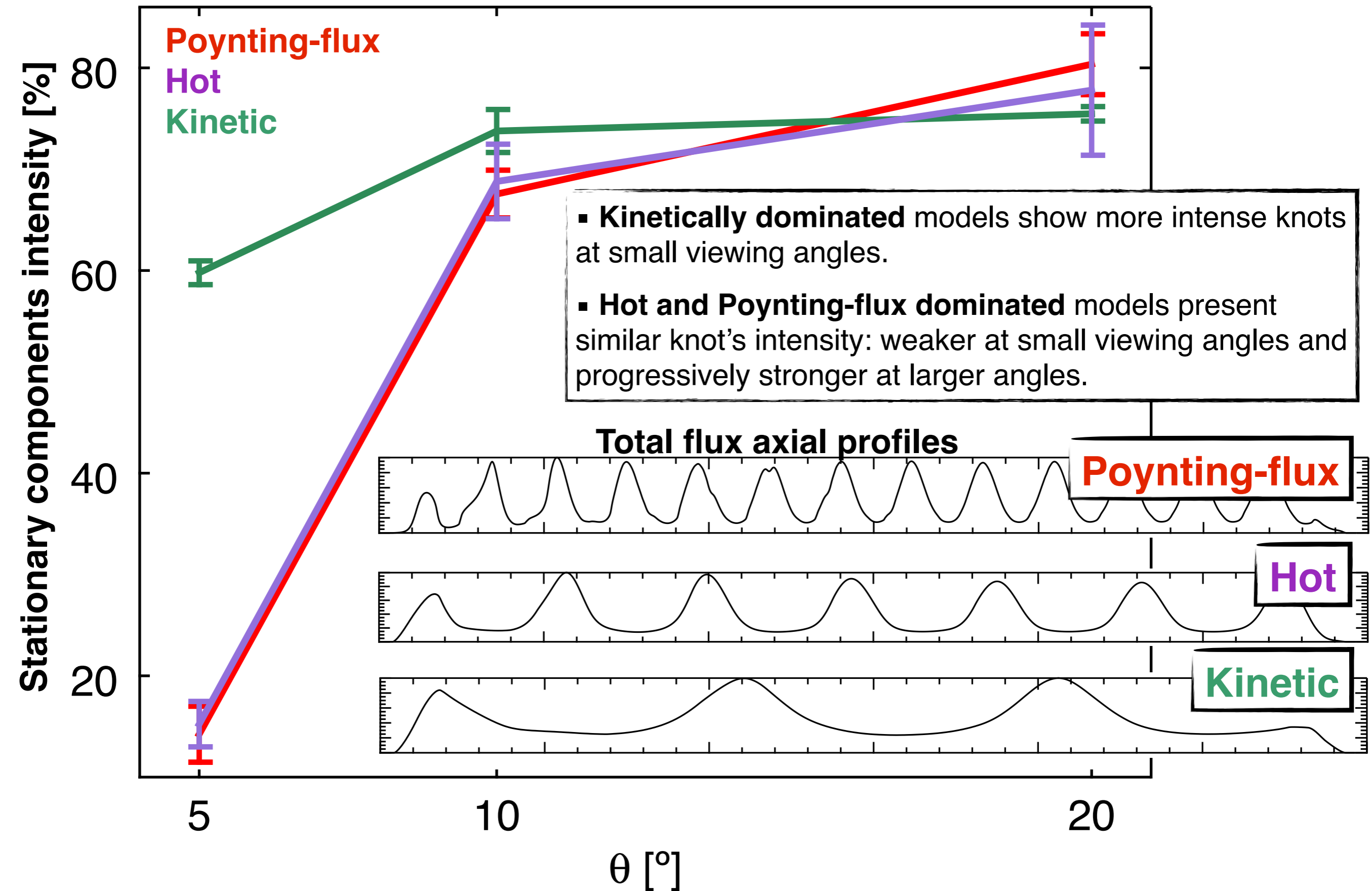
20

Radio emission (III): Stationary components intensity

Total flux axial profiles

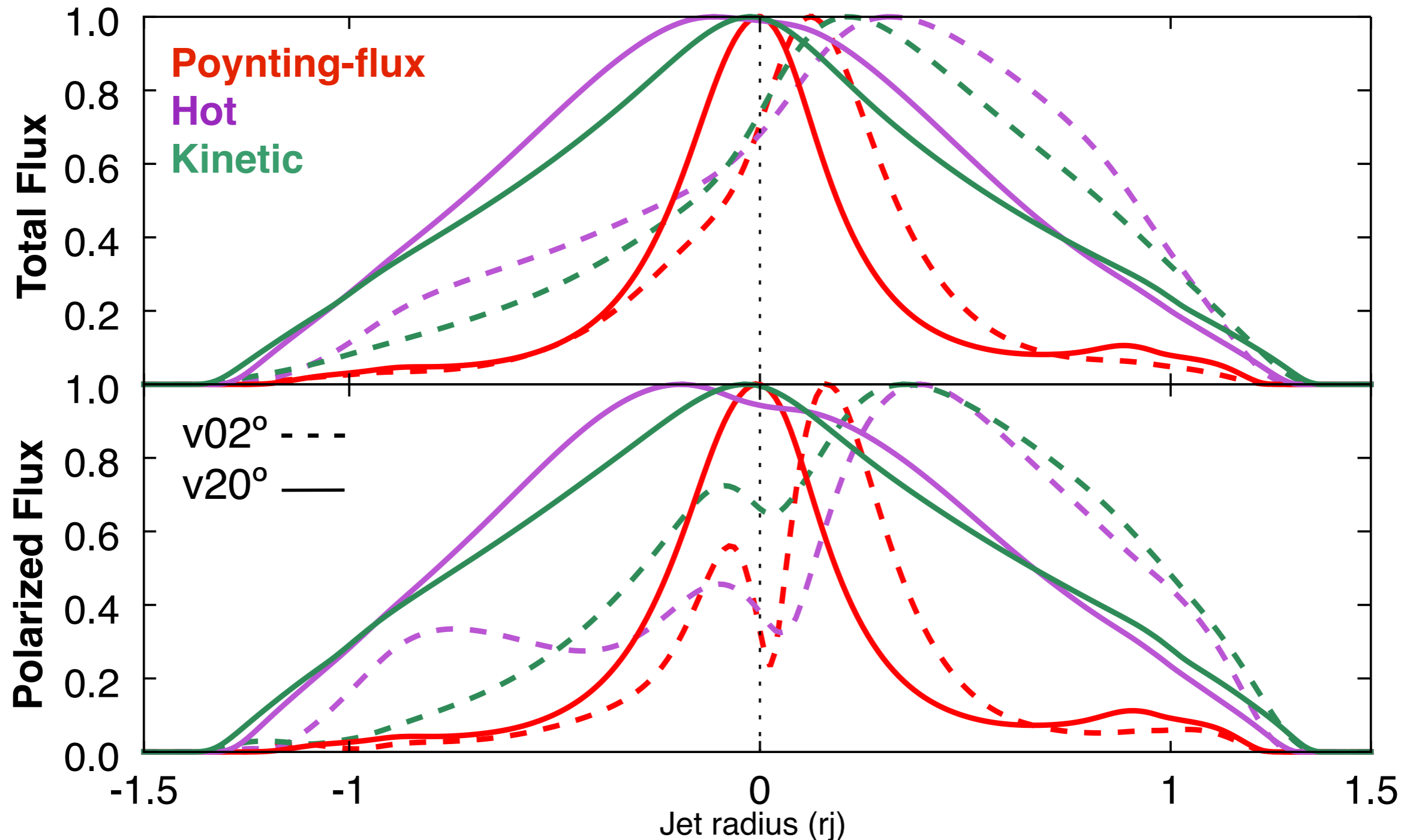


Radio emission (III): Stationary components intensity

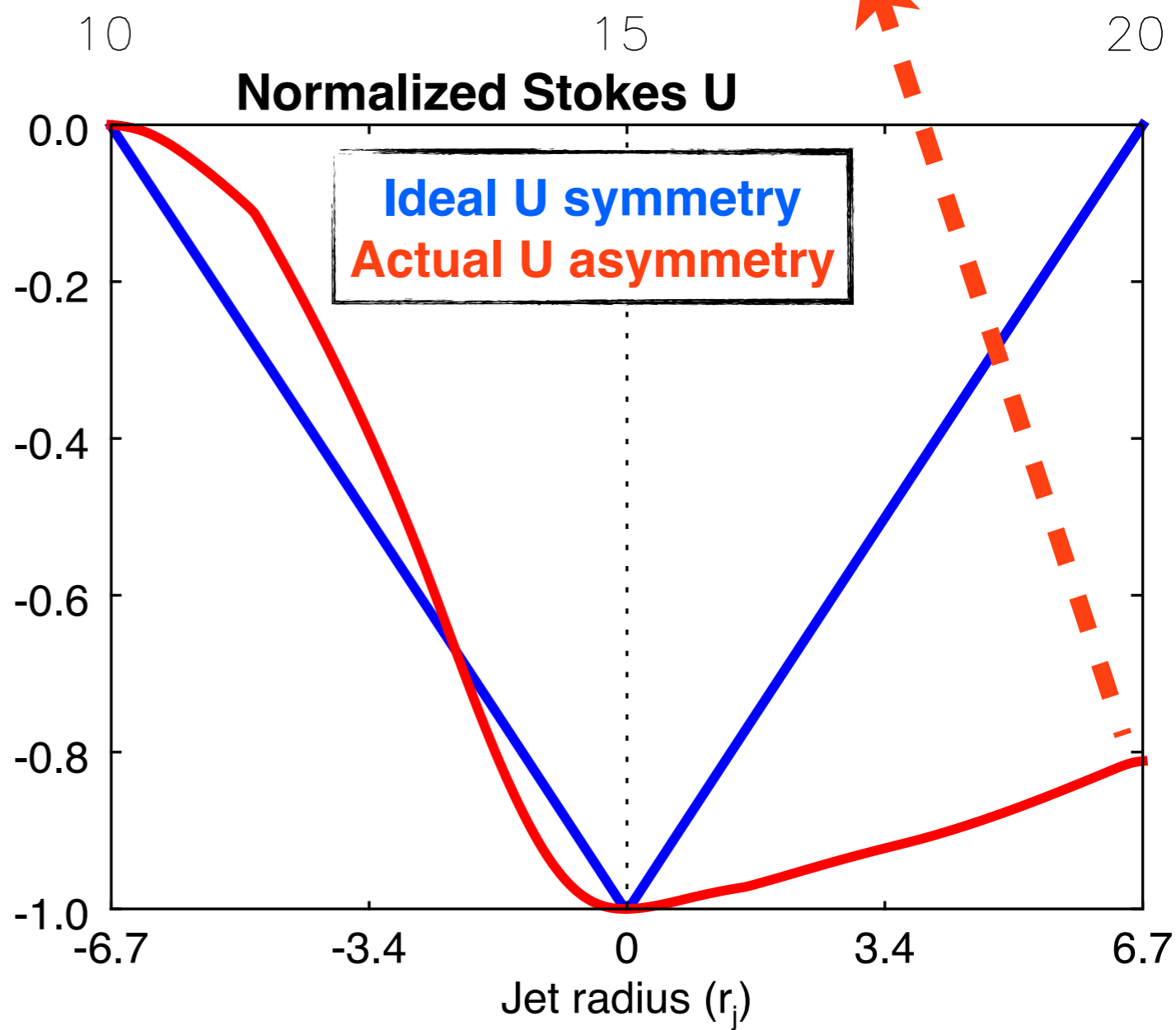
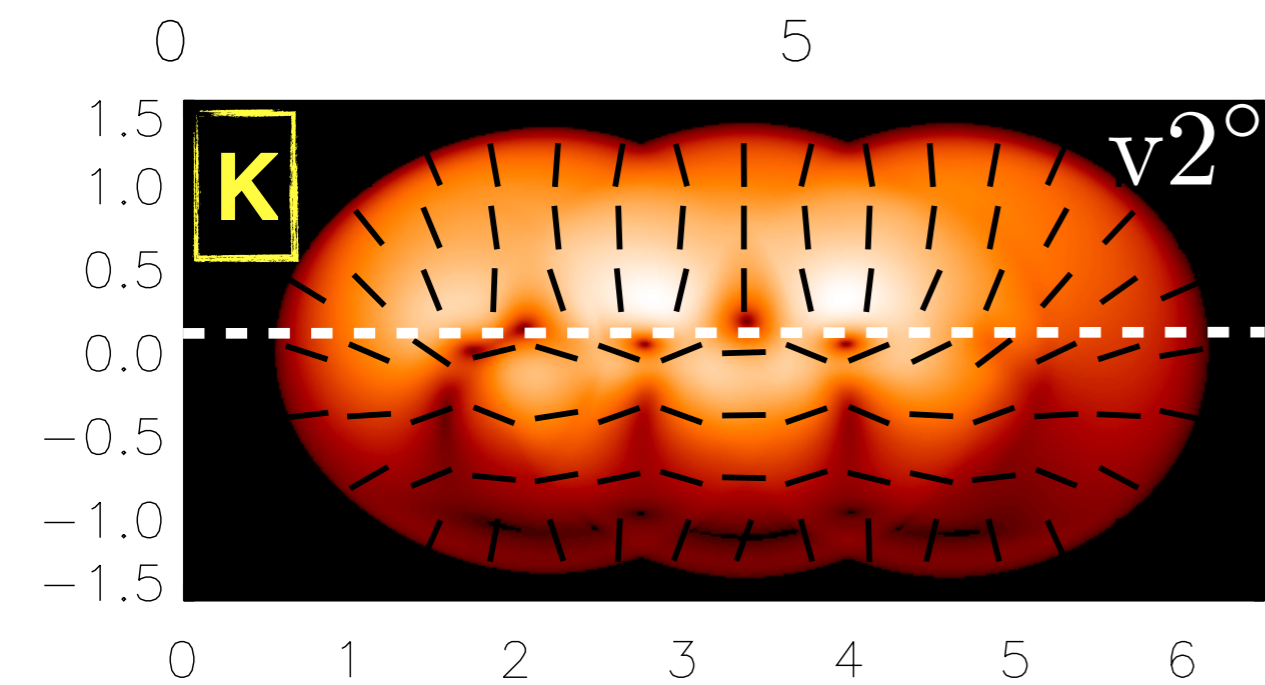
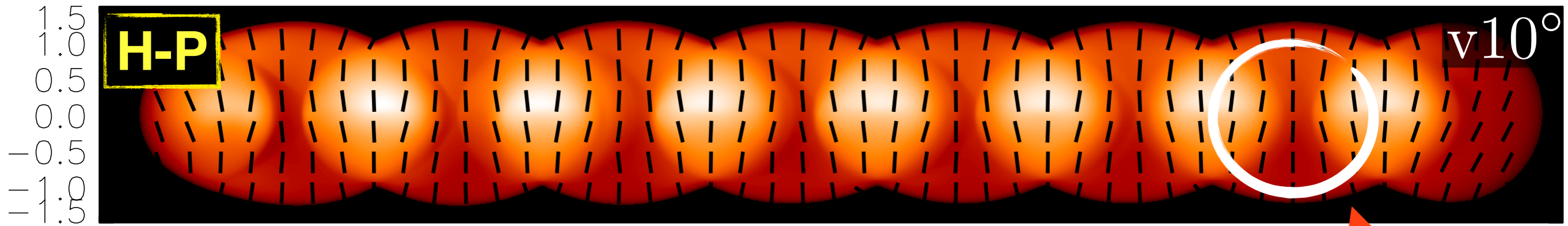


Radio emission (IV): Top-down asymmetry and emission confinement

- Total and polarized **emission asymmetry** between the top and bottom jet halves due to the **helical magnetic field** structure.
- **Emission confinement** around jet axis with increasing **magnetization**.
- **Polarized emission drops** near jet axis at small viewing angles due to cancellation of the **toroidal magnetic field component**.



Radio emission (II): Linear polarization and Stokes U asymmetry



Bimodal distribution of the EVPAs at lower angles due to helical B-field.

As the viewing angle increases, the EVPAs remain almost perpendicular to jet axis (poloidal B-field dominates)

Small variations of the polarization angle ($\sim 15^\circ$) around stationary components due to the **break in the Stokes U symmetry, as a consequence of **recollimation shocks**.**

Summary

- We have performed **RMHD simulations** as well as **total and polarized radio emission** of multiple jet models threaded by a **helical magnetic field**, attending to their **dominant type of energy: internal, kinetic or magnetic**.
- The **internal structure** of the models is **determined by the Mach number, the internal energy and the magnetization**.
- **Recollimation shocks** produce **bright stationary components** whose emission gets **confined** in a jet spine as the jet **magnetization increases**. **Kinetic** models show **more intense knots** at **small viewing angles**.
- **Lower viewing angles** show a **bimodal distribution of the EVPAs**, being either perpendicular or aligned with the jet axis. **Small variations in the EVPAs ($\sim 15^\circ$)** are observed in **recollimation shocks**.