



Max-Planck-Institut  
für Radioastronomie

# 86 GHz VLBI Survey of Ultracompact Radio Emission in Active Galactic Nuclei



MAX-PLANCK-GESELLSCHAFT

***Dhanya G Nair***

**Max Planck Institute für Radioastronomie, Bonn**

In collaboration with

**A.P. Lobanov, T.P. Krichbaum, E.Ros, J.A. Zensus (MPIfR, Bonn)**

**Y.Y Kovalev(Astro Space Center,Lebedev,Russia),**

**S.S.Lee (KASI,Daejeon,Korea), Y.Hagiwara (NAOJ,Japan) and M.Bremer(IRAM, Grenoble)**

***20.08.2015***

***45th Young European Radio Astronomers Conference***

***2015, Ventspils, Latvia***

# Outline

---

- **Introduction**

- *mm VLBI, Previous Surveys*

- **Observation**

- *Source selection, Calibration*

- **Results**

- *3mm maps*

- **Brightness temperature ( $T_B$ ) and jet physics**

- $T_b$  - *Population modelling, Adiabatically Expanding jets*

- **Summary**

# Active Galactic Nuclei (AGN)

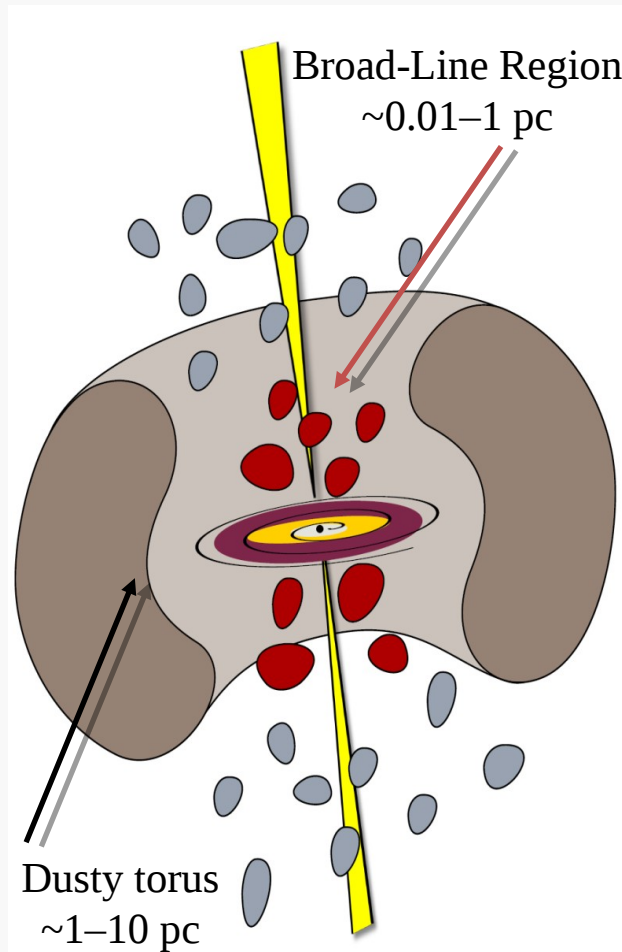
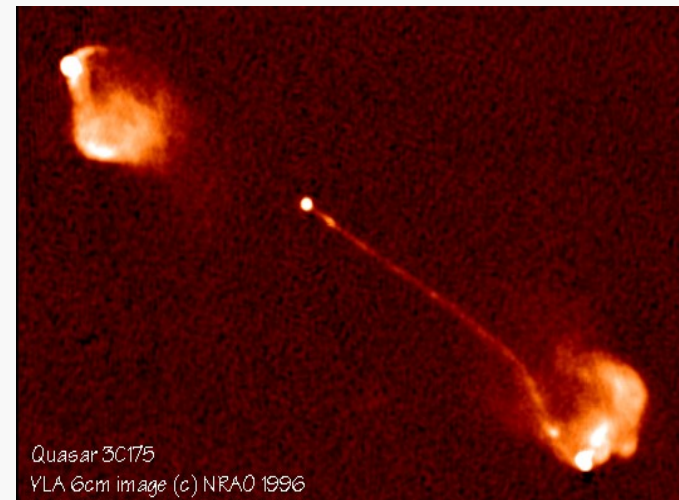
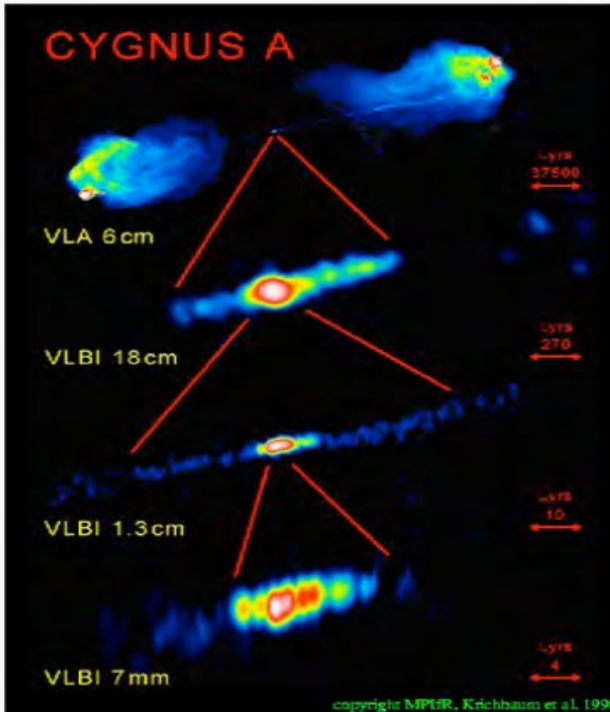


Image courtesy:  
Karamanavis, V, MPIfR

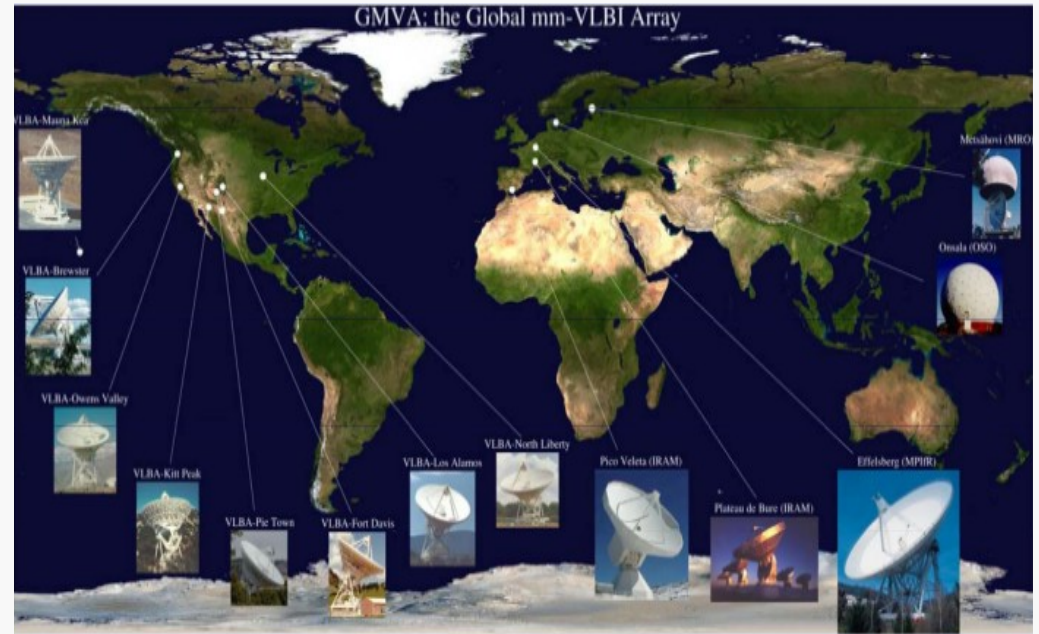
- Normal Galaxy – most of the light comes from visible wavelength – stars, hot gas and HII regions
- Active Galaxies : bright central nuclei with luminosities  $\sim 10^{37}$  to  $10^{40}$  watts  
 $\sim 10^5$  times host galaxy > trillion 'suns'
- Active from radio to  $\gamma$  ray waveband
- AGNs are powered by accretion on a supermassive black hole of mass of order  $(10^6-10^9) M_{\odot}$  at the centre.
- Only 10% of AGN are radio loud, featuring powerful relativistic jets.



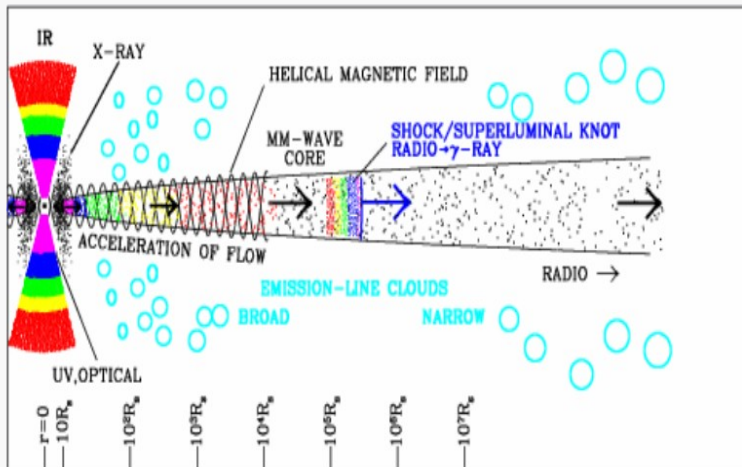
# Why 3mm (86 GHz) VLBI ?



From Krichbaum et al. 1998



Courtesy : <http://www.mpifr.de/div/vlbi/globalmm>



From Marsher et al.

The **Global MM-VLBI Array GMVA**  
 VLBA (8x25m) + (Ef,On,Pv,Pb,Mh,Ys)

- **40 micro-arcsec resolution at 86 GHz** two times that of space VLBI (Radio Astron) at 1.6 GHz.
- 86 GHz VLBI zoom into a linear scale of

**$10^3 \sim 10^4$  Schwartzschild radii**

# Previous Surveys

Beasley et.al (1997)  
 Lonsdale et.al (1998)  
 Rantakyro et al. (1998)

→ Detection Surveys

Lobanov et.al (2000)  
 Lee et.al (2007)

→ Imaging Surveys

## This survey

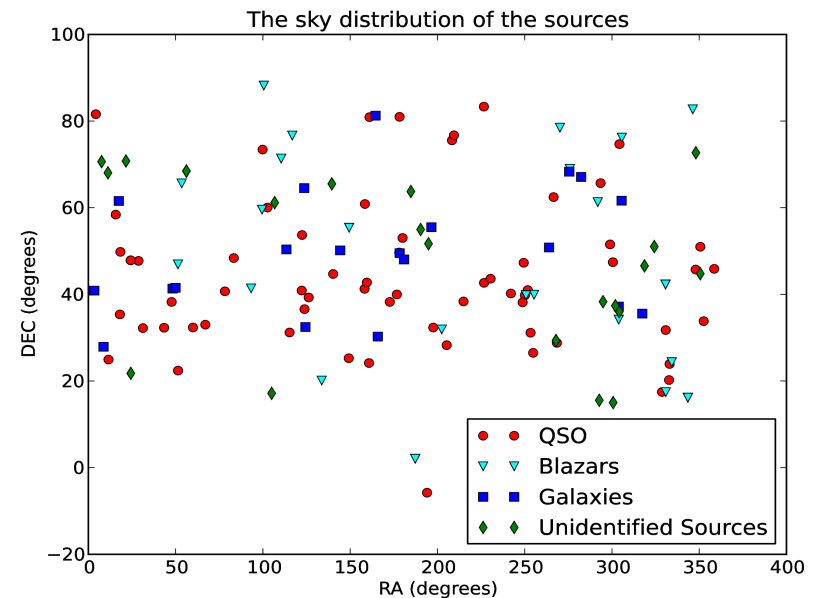
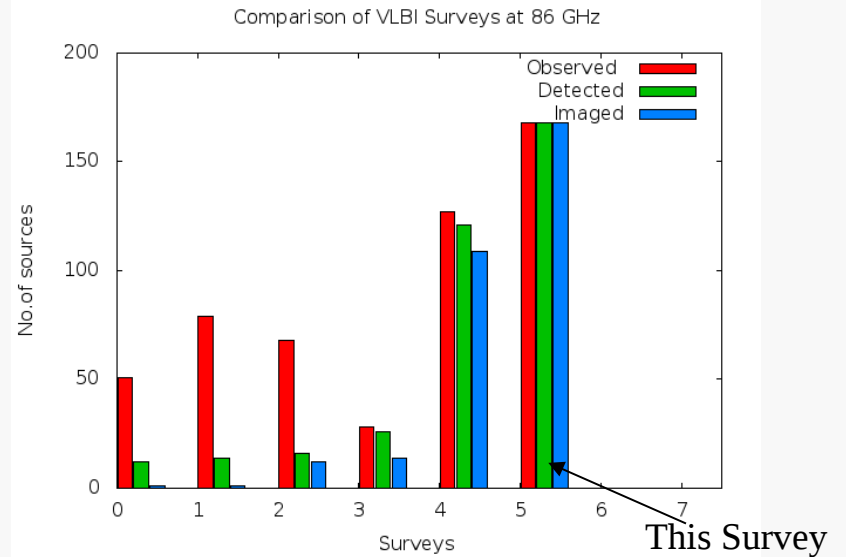
- a sample of 162 unique objects
- recording rate of 512 Mbps (double that of last survey, bandwidth – 128 MHz and 2-bit sampling)

## Source selection

- From the 15 GHz VLBA Survey – MOJAVE (Kovalev et.al 2005) and 22 GHz VERA Galactic plane survey (Petrov et.al 2005) for which the correlated flux density  $\geq 0.5$  Jy and declination  $\delta \geq -20$  degree
- Max.baseline sensitivity  $\sim 0.1$  Jy and image sensitivity  $\sim 5$  mJy/beam
- 8 VLBA + 5 European stations – session in October 2010, May 2011 and October 2011
- 3 to 4 scans  $\sim 6/7$  minutes duration

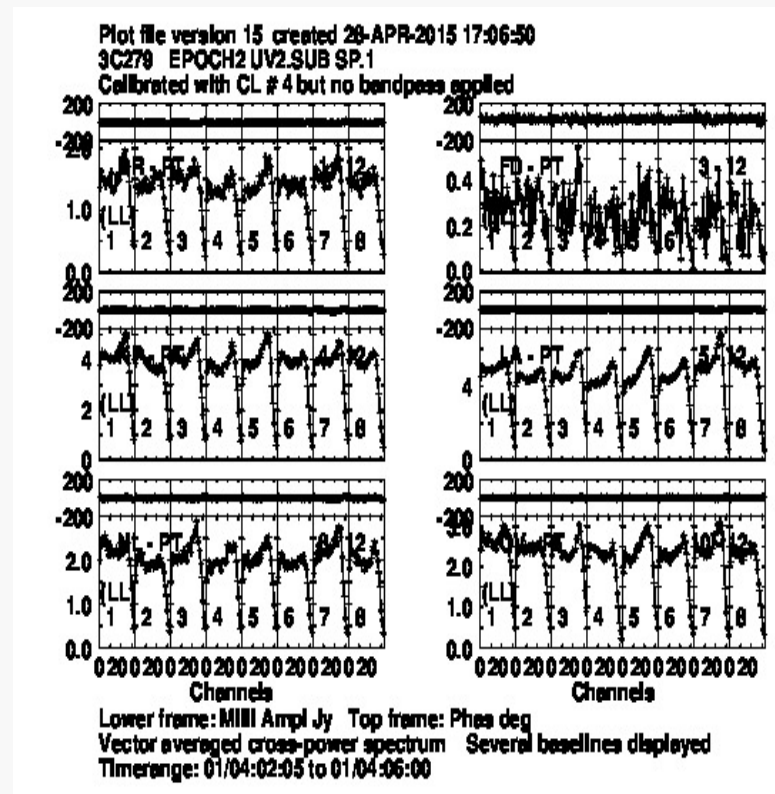
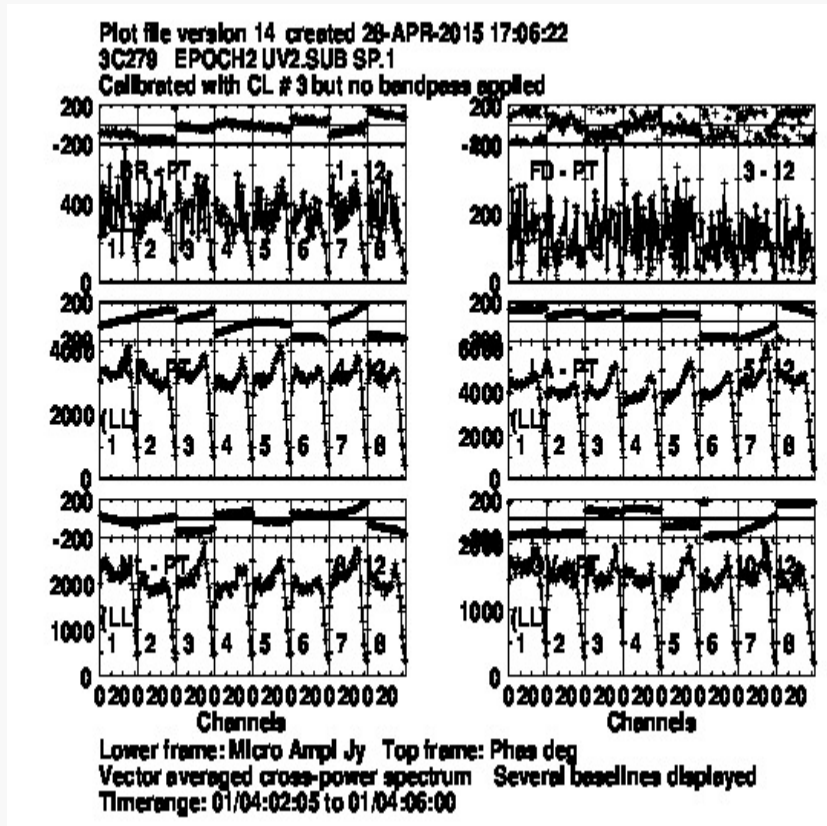
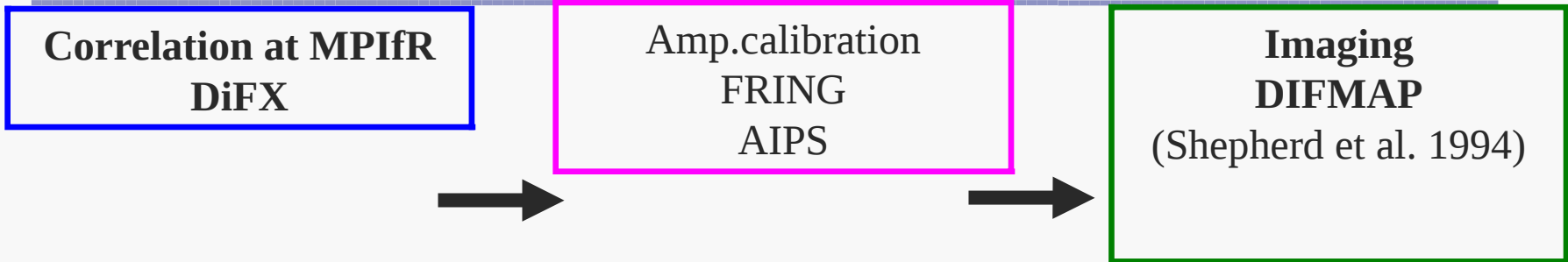
## 100% Detection

-162 sources detected & Imaged- QSO,Blazar, Galaxies & Unidentified



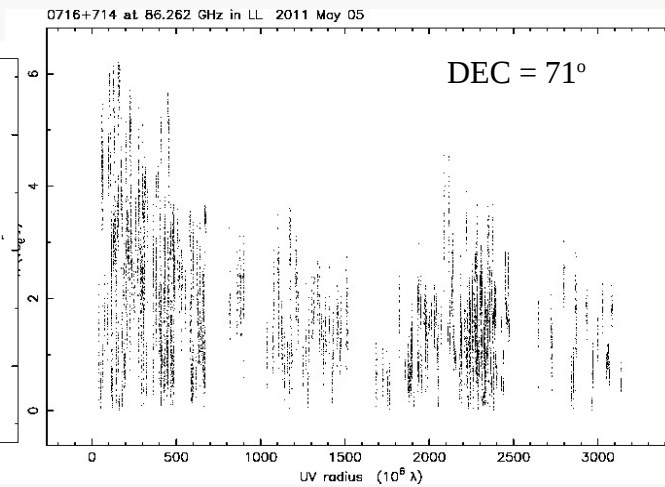
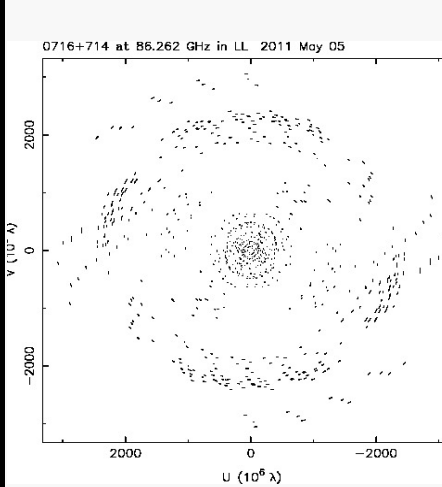
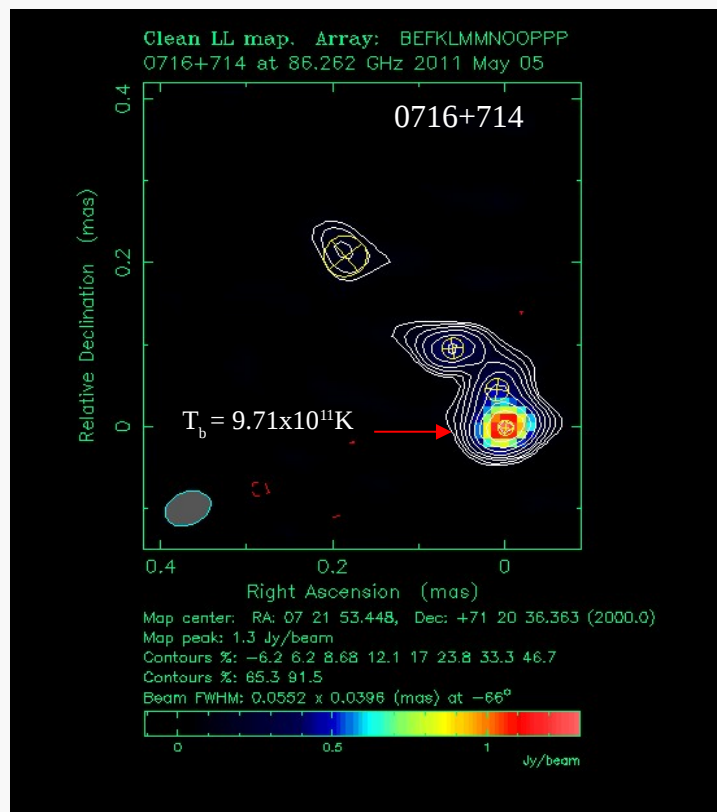
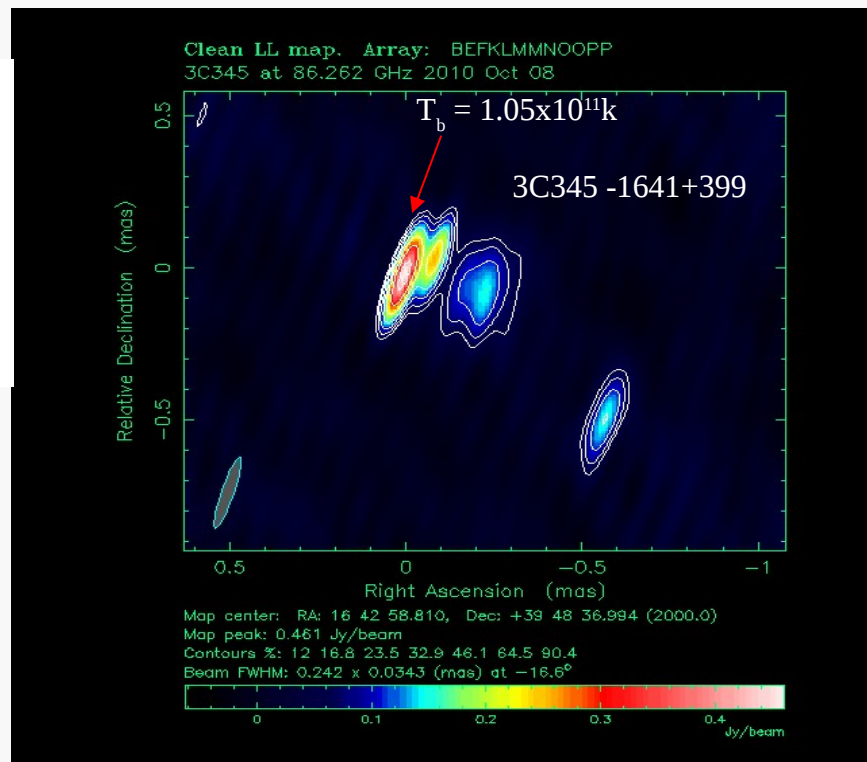
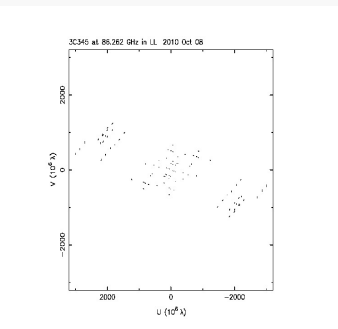
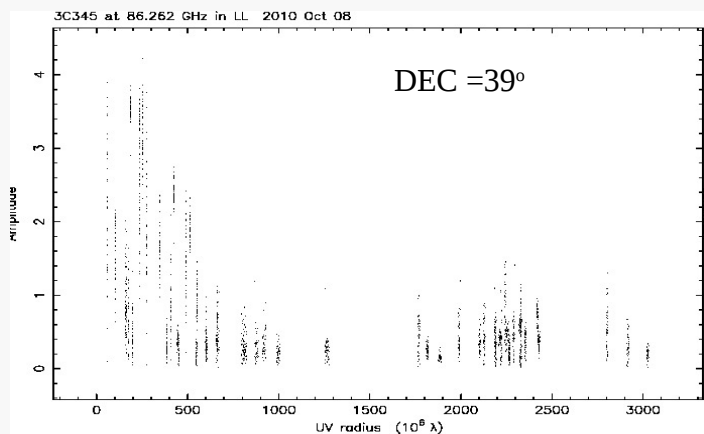


# Calibration



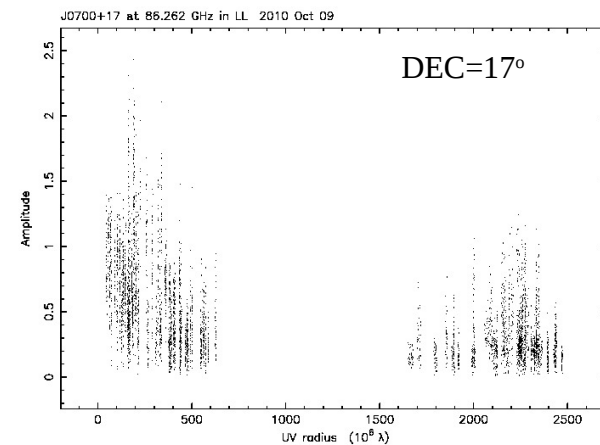
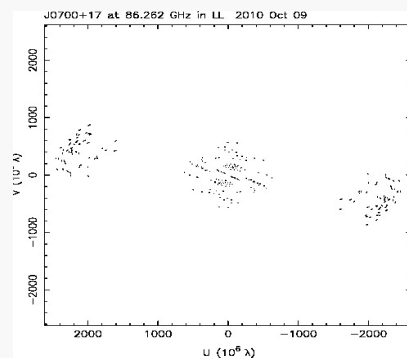
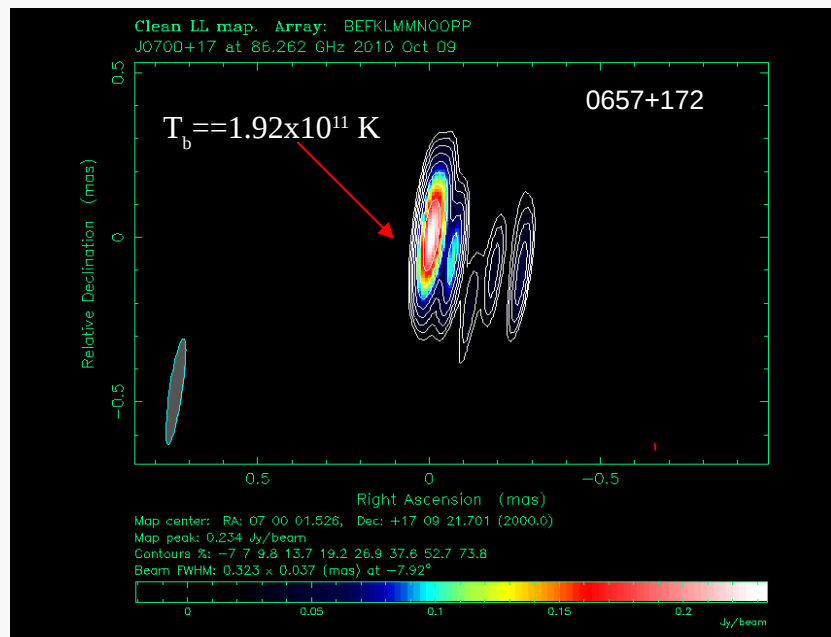
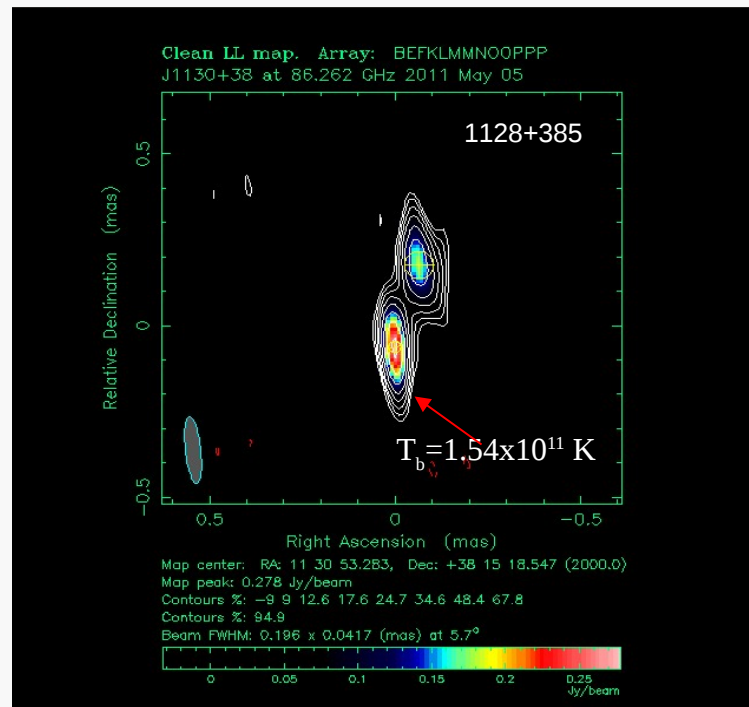
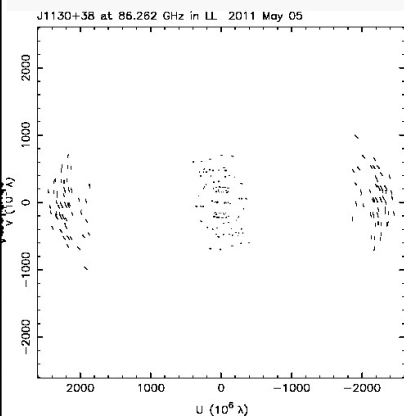
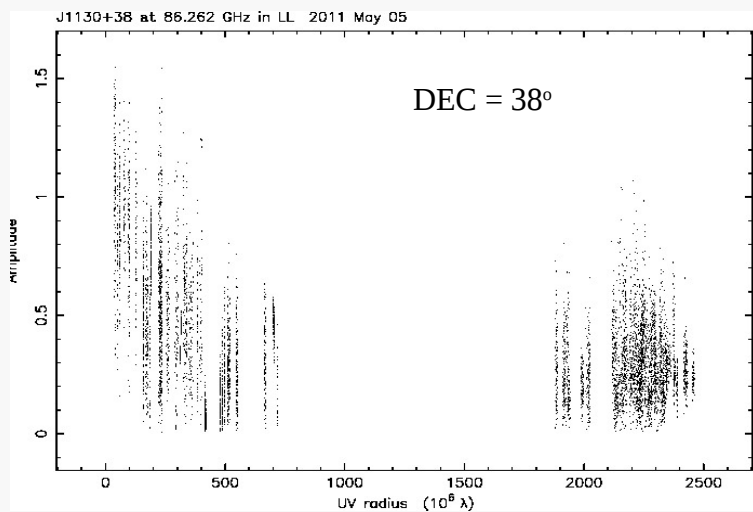
**Fringes obtained for a source 3C279**

# 3 mm maps



# 3 mm maps

(Nair et al. in prep.)





# Brightness Temperature ( $T_B$ )

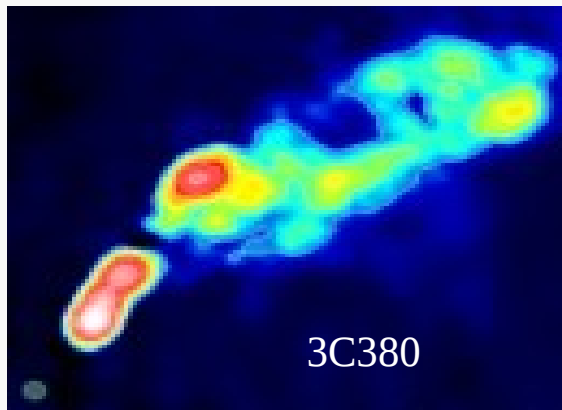
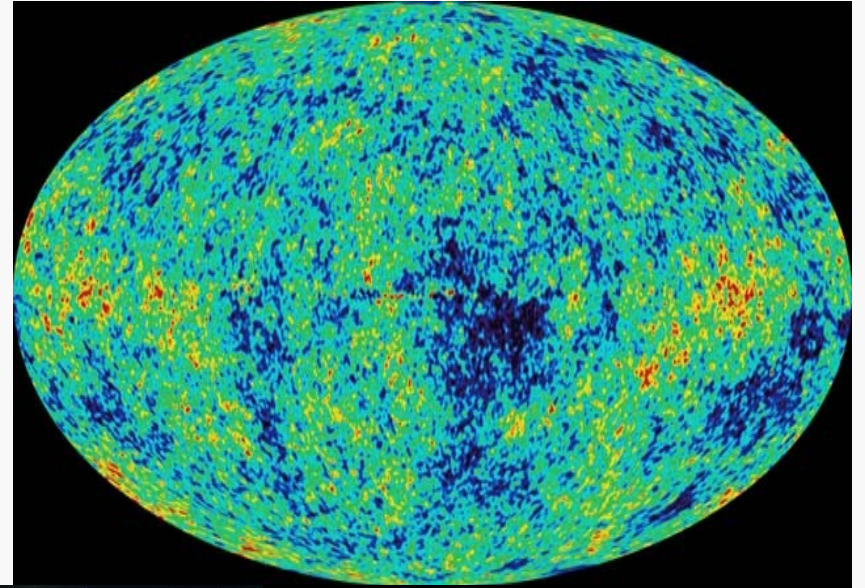
Brightness temperatures :

“Blank Sky”  $\sim 2.73$  kelvin (thermal big bang BB radiation)

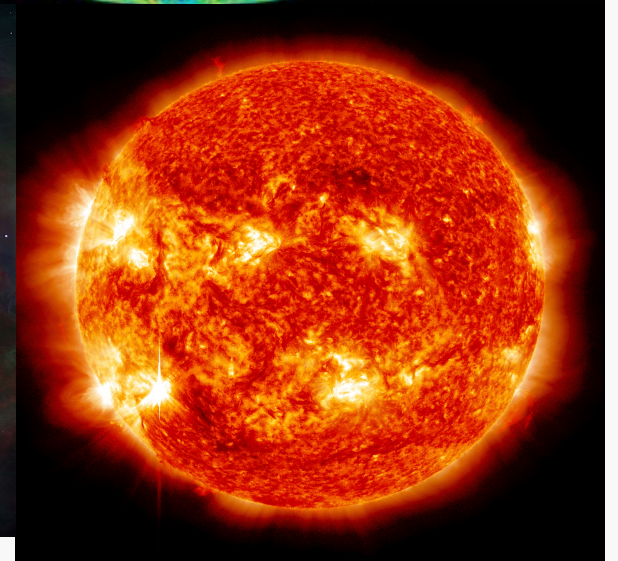
Sun at 300 MHz, 50,000 kelvin (mostly non thermal)

Orion Nebula at 300 GHz, 10-100 kelvin (“warm” thermal Molecular clouds)

Quasars at 5 GHz  $\sim 10^{12}$  kelvin (non thermal synchrotron)



Courtesy : Google images



This is not a physical temperature but a measure of the energy density of the electrons and magnetic fields  $\rho$  that generate radio emission via non thermal emission mechanisms (synchrotron)

# Brightness Temperature ( $T_B$ )

---

$$T_B = 2 \log(2) \frac{\pi}{k_B} \frac{S_{\text{tot}} \lambda^2 (1+z)}{d^2}$$

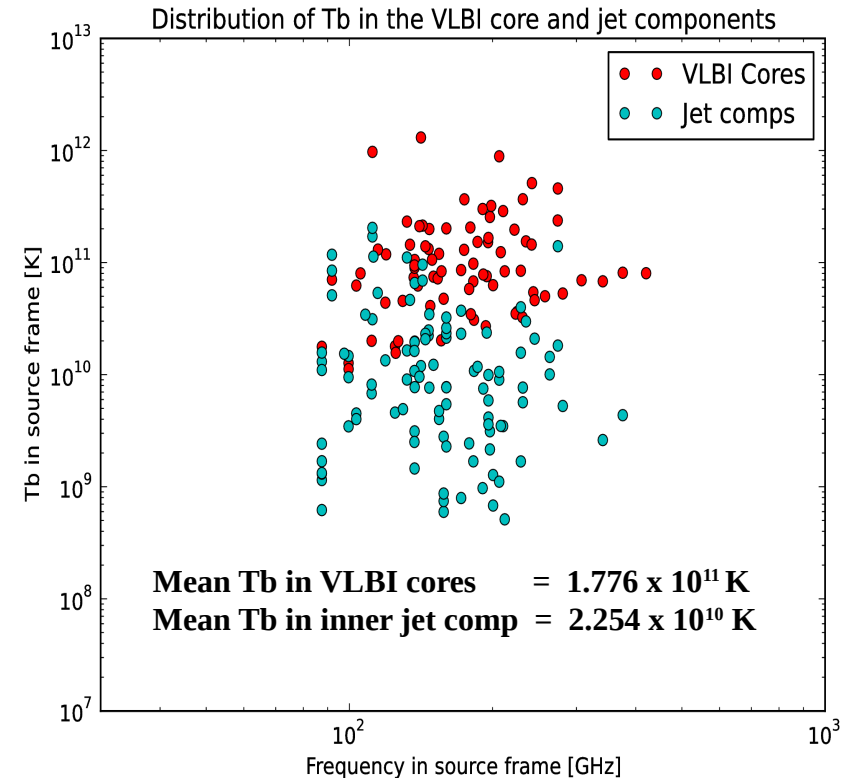
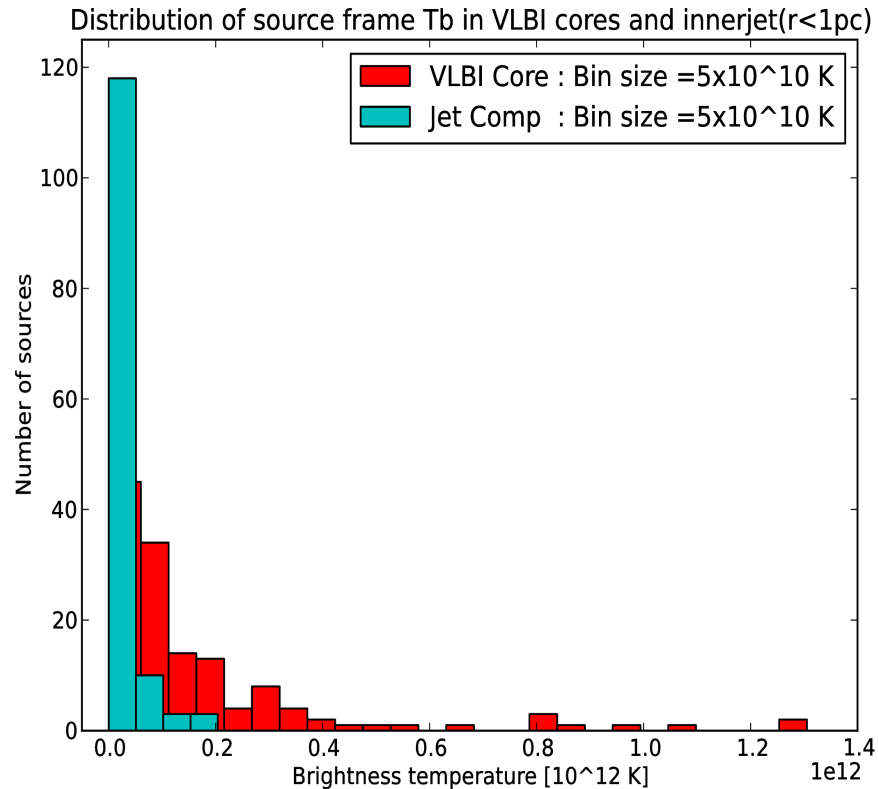
And if  $d < d_{\text{min}}$ , then the **lower limit** of  $T_B$  is obtained with  $d = d_{\text{min}}$ .

Minimum resolvable size of the gaussian model comp,  $\longrightarrow$

$$d_{\text{min}} = \left\{ \frac{2^{(1+\beta)/2}}{\pi} \right\} \left\{ \pi a b \ln 2 \ln \frac{(SNR+1)}{(SNR)} \right\}^{(1/2)} \quad (\text{A.P. Lobanov 2005})$$

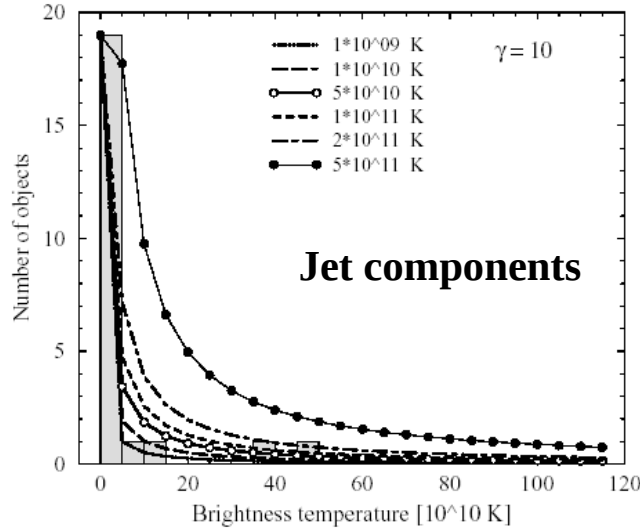
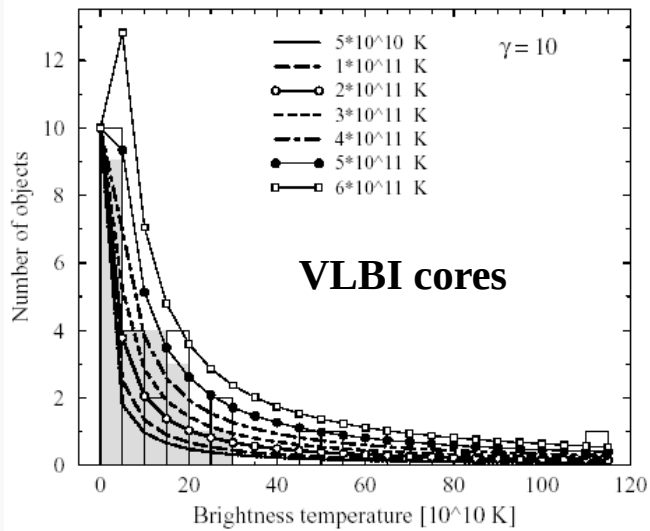
(e.g. SNR = 6.5; Beam (a x b) = (0.1 x 0.07 mas)  $\Rightarrow$   $d_{\text{min}} = 0.035\text{mas}$ )

# Brightness Temperature ( $T_B$ ) distribution



- Difference in the average  $T_b$  distribution measured in the cores and inner jet components by a factor of  $\sim 10$ .
- $T_b$  distribution is approximately concentrated within  $T_b < 4 \times 10^{11}$  kelvin for VLBI cores and within  $T_b < 5.0 \times 10^{10}$  kelvin for inner jet components. The  $T_b$  of VLBI cores are in certain agreement with the inverse compton limit ( $\sim 5 \times 10^{11}$  K) and  $T_b$  of jet components are also in agreement with the equipartition limit ( $\sim 5 \times 10^{10}$  K).

# Population modelling for the jet brightness temperature $T_B$



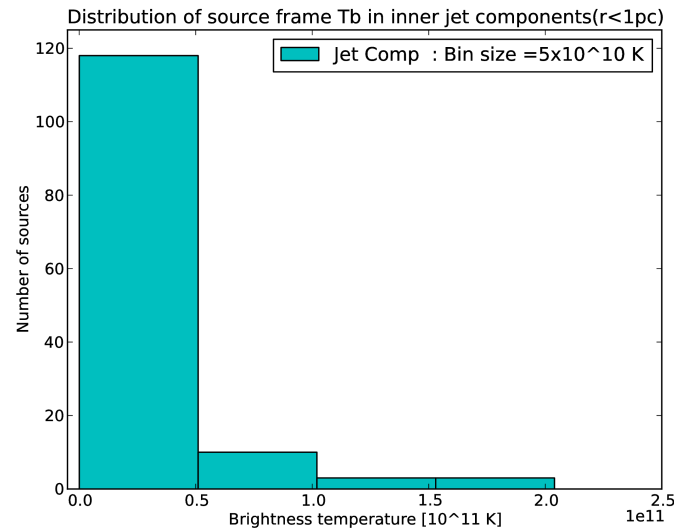
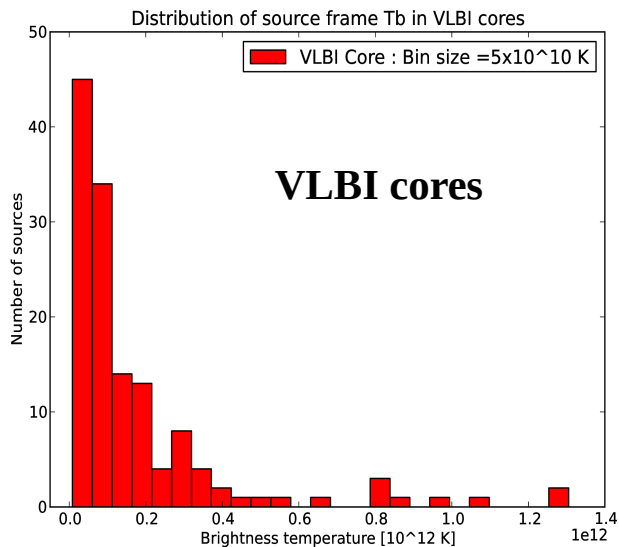
$T_{\text{int,core}} = 1 \sim 4 \times 10^{11}$  K  
 (~ Inverse compton limit)

$T_{\text{int,jet}} \leq 5 \times 10^{10}$  K  
 (~ Equipartition limit)

Probability density of brightness temperature (theoretical model)

$$p(T_b) = \left[ \frac{2\gamma_j \left\{ \left( \frac{T_o}{T_b} \right)^\epsilon - \left( \frac{T_o}{T_b} \right)^{2\epsilon} - 1 \right\}}{\gamma_j^2 - 1} \right]^{1/2}$$

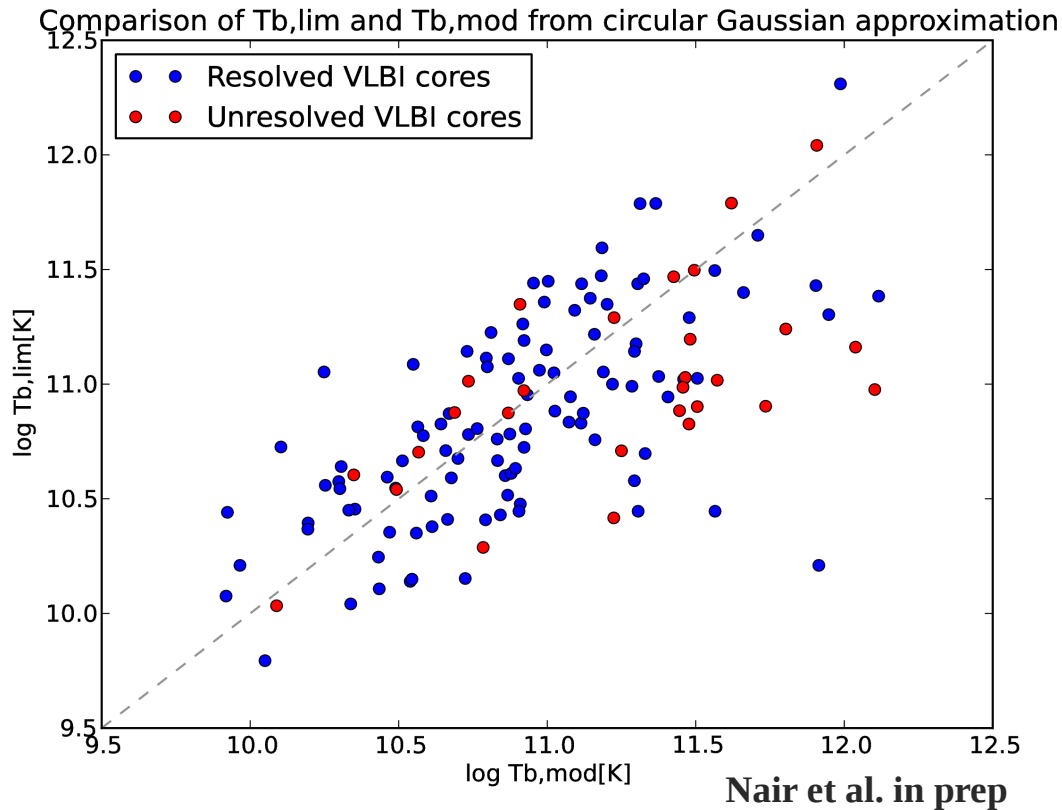
Lobanov et al .2000



where  $T_b = \delta T_o$   
 $\delta$  is the doppler factor

(Nair et al in prep.)

## Correlation between $T_b$ measured from Gaussian model fitting the source and $T_b$ estimated directly from the interferometric visibility



Assumptions are made like the following:

- The interferometric visibility is expressed as

$$V = V_q e^{-i\Phi_q}$$

- Angular extent of the emitting region:-

$$\theta = \frac{2\sqrt{\ln 2} \lambda \sqrt{\ln \frac{V_q + \sigma_q}{V_q}}}{(\pi B)}$$

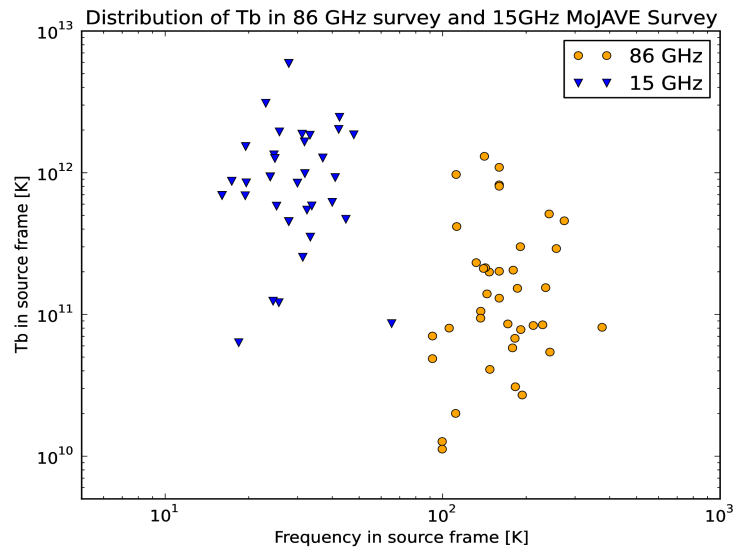
Lobanov 2015

$$T_{b,limit} = \frac{\pi B^2}{2k} (V_q + \sigma_q) \left( \ln \frac{V_q + \sigma_q}{V_q} \right)^{-1}$$

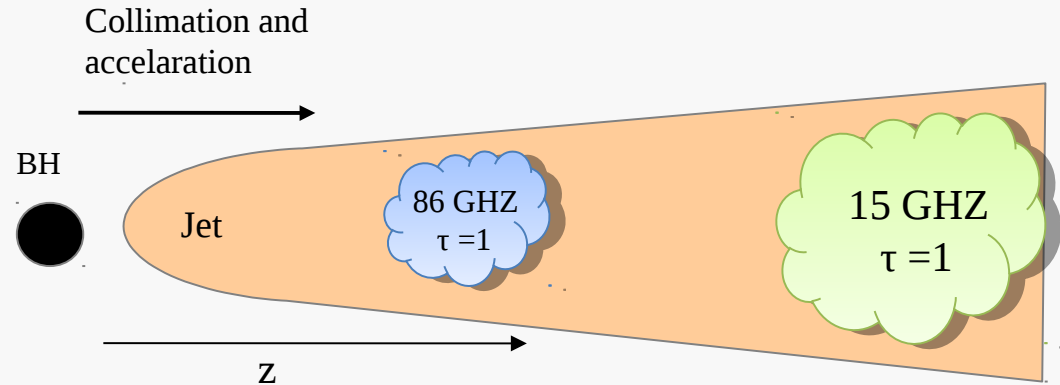
The limiting  $T_{b,lim}$  are essentially equal to  $T_{b,mod}$  estimated from imaging method – one to one correspondance



# Do jets decelerate ?



Nair et al., in prep.

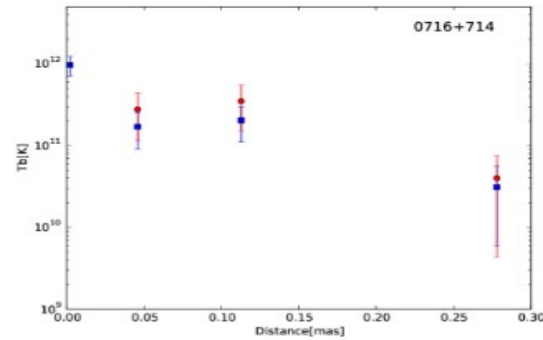
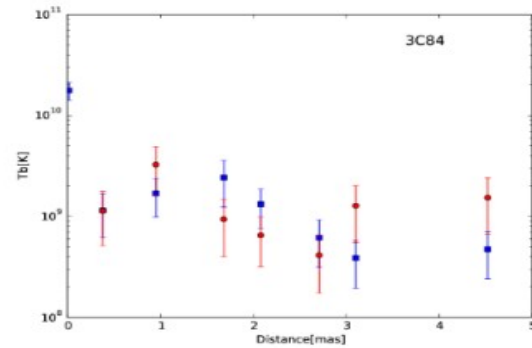
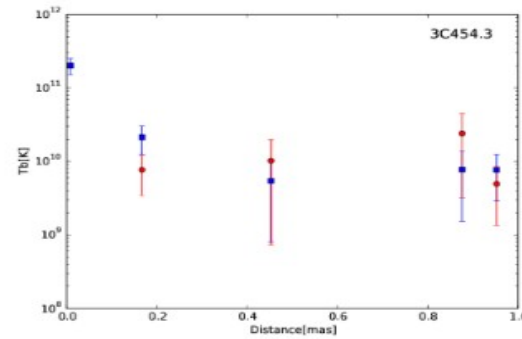
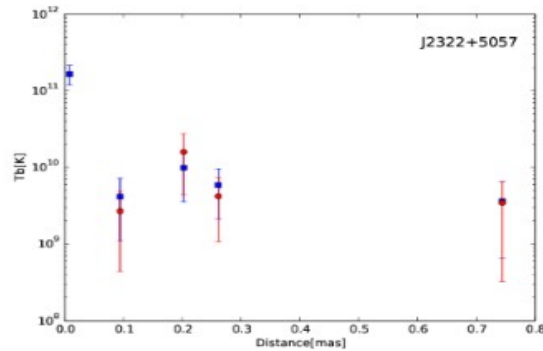


$$T_b(z) = T_0 \epsilon(z) [\delta_j(z)]^{n-\alpha} = T_0 \epsilon(z) [\Gamma_j(z)]^{n-\alpha} [1 - \beta_j(z) \cos \theta]^{n-\alpha} ]^{-1}$$

- $T_b$  at 86 GHz are systematically lower than  $T_b$  at 15 GHz
- Decrease of  $T_0$  at 86 GHz – strong argument towards a theoretical decelerating jet model (Marsher 1995).

- This supports the theoretical model that the relativistic electron-positron pair plasma up-scatter the photons produced outside the jet into X-rays and  $\gamma$  rays. This will basically decelerate the jet and decreases the Lorentz factor along the jet.

# Do Jets expand adiabatically ?



Assumptions are made like the following:

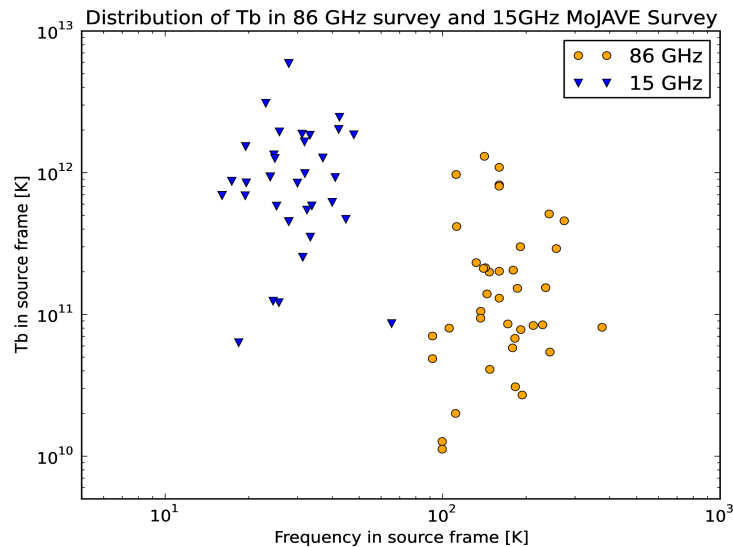
$$T_{b,J} = T_{b,C} (d_J/d_C)^\xi$$
$$\xi = [2(2s+1)+3a(s+1)]/6.$$
$$s=2.0, \alpha = -0.5, a=1$$

(Lobanov et al. 2000) & Marsher 1990

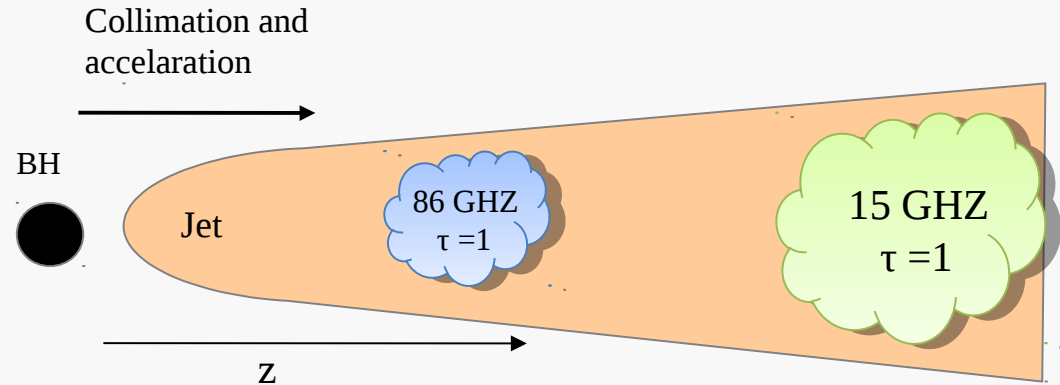
Nair et al., in prep.

Red circles are the predicted  $T_B$  in shocks with adiabatic losses dominating the radio emission. Blue circles are the observed  $T_B$

# Do jets decelerate ?



Nair et al., in prep.



$$T_b(z) = T_0 \epsilon(z) [\delta_j(z)]^{n-\alpha} = T_0 \epsilon(z) [\Gamma_j(z)]^{n-\alpha} [1 - \beta_j(z) \cos \theta]^{n-\alpha}]^{-1}$$

- $T_b$  at 86 GHz are systematically lower than  $T_b$  at 15 GHz
- Decrease of  $T_0$  at 86 GHz – strong argument towards a theoretical decelerating jet model (Marsher 1995).

- This supports the theoretical model that the relativistic electron-positron pair plasma up-scatter the photons produced outside the jet into X-rays and  $\gamma$  rays. This will basically decelerate the jet and decreases the Lorentz factor along the jet.

# Summary

---

1. We conducted a large global 86 GHz VLBI survey of compact radio sources using a global 3mm VLBI array.
2. The survey is the largest and most sensitive one ( $\text{rms}_{\text{image}} < 5 \text{ mJy/beam}$ ) with a detection rate of 100% out of 168 sources and a total set of images of 168 sources.
3. We estimated brightness temperatures ( $T_b$ ) of the cores and secondary jet components from the measurements of flux densities and sizes of the components, taking into account resolution limits of the data.
4. The  $T_b$  of the cores are higher than those of the secondary jet components and the  $T_b$  distribution is within  $T_b < 4 \times 10^{11}$  kelvin for VLBI cores and within  $T_b < 5.0 \times 10^{10}$  kelvin for inner jet components.
5. For sources with sufficient structural detail, there is an agreement with the predicted  $T_b$  in shocks with adiabatic losses and measured  $T_b$ .
6.  $T_b$  at 86 GHz are systematically lower than  $T_b$  at 15 GHz. Decrease of  $T_b$  at 86 GHz provides an argument towards a theoretical decelerating jet model

---

*Thank You*

*Questions ?*