

Models for the Spectral Energy Distributions and Variability of Blazars Markus Böttcher Ohio University, Athens, OH, USA

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Outline:

- 1) Introduction to leptonic and lepto-hadronic blazar models
- 2) Modeling results along the blazar sequence
- 3) Redshift constraints from blazar SED modeling
- 4) Inhomogeneous, time-dependent blazar models

<u>Leptonic Blazar Model</u>



Sources of External Photons

Direct accretion disk emission (Dermer et al. 1992, Dermer & Schlickeiser 1994)

Optical-UV Emission from the Broad-line Region (BLR) (Sikora et al. 1994)Jet -

Infrared Radiation from the Obscuring Torus (Blazejowski et al. 2000)

Synchrotron emission from slower/faster regions of the jet (Georganopoulos & Kazanas 2003)

Spine – Sheath Interaction (Ghisellini C & Tavecchio 2008)

Obscuring Torus

Black

Narrow Line Region

> Broad Line Region

> > Accretion Disk

Blazar Classification





Spectral modeling results along the Blazar Sequence: Leptonic Models



Intermediate BL Lacs: W Comae

Major VHE γ -ray flare detected by VERITAS in June 2008.

Pure SSC requies far sub-equipartition B-field.

Fit with EC from IR radiation field yields more plausible parameters.



The Quasar 3C279 on Feb. 23, 2006



Parameter Estimates: SSC

- Optical index α = 1.7 => p = 4.4 => cooling break (3.4 > 4.4) would not produce a vF_v peak => peak must be related to low-energy cutoff, γ_p = γ₁
- Separation of synchrotron and gamma-ray peak => $\gamma_p = (\epsilon_{\gamma}/\epsilon_{sy})^{1/2} \sim 1.6 \times 10^5$

 $v_{sy} = 4.2 \times 10^6 \gamma_p^2 B_G D/(1+z) Hz$ => $B_G D_1 \sim 7 \times 10^5$

Parameter Estimates: External Compton

- External photons of $\varepsilon_s \sim 10^{-5}$ can be Thomson scattered up to $\varepsilon_\gamma \sim 10^5$ => Accretion disk photons can be source photon field.
- Location of gamma-ray peak

=> $\gamma_{\rm p} = (\epsilon_{\gamma} / [\Gamma^2 \epsilon_{\rm s}])^{1/2} \sim 10^4 \Gamma_1^{-1}$

• $v_{sy} = 4.2 \times 10^6 \gamma_p^2 B_G D/(1+z) Hz$

=> $B_G \sim 1.8 \times 10^{-2} \Gamma_1^2 D_1^{-1}$

Relate synchrotron flux level to electron energy density,
 e_B = u'_B/u'_e

 $= e_{\rm B} \sim 10^{-8} \Gamma_1^7 R_{16}^3$

a) $\Gamma \sim 15$, B ~ 0.03 G, $e_B \sim 10^{-7}$ b) $e_B \sim 1$, B ~ 0.25 G, $\Gamma \sim 140 R_{16}^{-3/7}$

Attempted leptonic one-zone model fit, EC dominated



Alternative: Multi-zone leptonic model

X-ray through gamma-ray spectrum reproduced by SSC; optical spectrum has to be produced in a different part of the jet.



3C279

Requires far sub-equipartition magnetic fields!

Lepto-Hadronic Blazar Models

Requirements for lepto-hadronic models

- To exceed p-γ pion production threshold on interactions with synchrotron (optical) photons: E_p > 7x10¹⁶ E⁻¹_{ph,eV} eV
- For proton synchrotron emission at multi-GeV energies:
 E_p up to ~ 10¹⁹ eV (=> UHECR)
- Require Larmor radius

 $\label{eq:rL} $$r_L $$\sim 3x10^{16} E_{19} / B_G cm \leq a few $x 10^{15}$ cm $$=> $B ≥ 10 G (Also: to suppress leptonic SSC component below synchrotron)$

- => Synchrotron cooling time: t_{sy} (p) ~ several days
- => Difficult to explain intra-day (sub-hour) variability!
 → Geometrical effects?

Semi-analytical lepto-hadronic model

- Synchrotron + SSC as for leptonic model
- Power-law distribution of ultrarelativistic protons
- Production rates of final decay products (electrons, positrons, neutrinos, π^0 -decay photons) from Kelner & Aharonian (2008) templates
- Semi-analytical representation of cascades:
 - γγ pair production through delta-function approximation
 - synchrotron emissivity from single electron through

 $\mathbf{j}_{\nu}\left(\boldsymbol{\gamma}\right) \thicksim \nu^{1/3} \mathbf{e}^{-\nu/\nu 0\left(\boldsymbol{\gamma}\right)}$

- Optical and γ -ray spectral index can be decoupled
- X-rays filled in by electromagnetic cascades
- However: Requires very large jet luminosities, L_i ~ 10⁴⁹ erg/s

Lepto-Hadronic Model Fits Along the Blazar Sequence

(LBL) **BL** Lacertae 1e+14 E e--synchrotron Red = leptonic 1e+13 =Green = lepto-hadronic 1e+12 vF_v [Jy Hz] archival GTlike 1e+11 RATAN BAT GASP p-synchrotron LUCA e--SSC MAGIC 1e+10 UVOT Villata p-sy + cascades Simul 1e+091e+12 1e+14 1e+16 1e+18 1e+20 1e+22 1e+24 1e+26 1e+10v [Hz]

Strongly peaked γ-ray spectra achievable by p-synchrotron.

Cascades allow extension to VHE γrays, but produce flat extension towards Xrays

-> Problems with hard Fermi Sources ...

Lepto-Hadronic Model Fits Along the Blazar Sequence

Lepto-Hadronic Model Fits Along the Blazar Sequence

RGB J0710+591 (HBL)

Problems with extension to VHE γ-rays

<u>Lepto-Hadronic Model Fits:</u> <u>Neutrino Spectra</u>

Substantial neutrino flux at TeV energies, but dominant fraction at PeV – EeV.

<u>y-y Absorption in the</u> Extragalactic Background Light

High-Energy γ -rays are absorbed in intergalactic space by $\gamma - \gamma$ pair production

Redshift Estimates from SED Modeling:

<u>More Realistic Aproach:</u> <u>Constrain SED through lower-frequency</u> <u>(radio – GeV) SED</u> <u>Example: PKS 1424+240</u>

VERITAS Detection during the period February – June 2009 Motivated by Fermi detection of a hard GeV spectrum

Current "knowledge" of redshift:

SIMBAD: **z** = **0.16** (but no reference)

Sbarufatti et al. (2005): Limit from non-detection of host galaxy: z > 0.67

Connecting extrapolated Fermi spectrum with observed VERITAS spectrum through $\gamma\gamma$ absorption in the Extragalactic Background Light: z < 0.6

Model fits with pure SSC models for a variety of redshifts

SSC fit parameters for a variety of redshifts

Parameter	z = 0.05	z = 0.10	z = 0.16	z = 0.30	z = 0.40	z = 0.50	z = 0.70
L _e [10 ⁴³ erg/s]	1.60	4.12	8.07	18.9	29.2	47.1	88.8
L _B [10 ⁴³ erg/s]	1.66	5.47	12.2	31.1	45.9	49.8	66.2
ε _B	1.04	1.33	1.50	1.65	1.57	1.06	0.75
B [G]	0.37	0.31	0.30	0.24	0.25	0.18	0.14
D	15	18	20	30	35	45	60

 L_e = kinetic power in relativistic electrons

 $\varepsilon_{\rm B} = L_{\rm B}/L_{\rm e}$ = magnetic-field equipartition fraction

D = Doppler factor

Fits for $z \ge 0.5$ require large Doppler factors

PKS 1424+240

• Pure SSC models provide a reasonable fit; no EC component required.

 For larger redshift, increasing discrepancy with VHE γ-ray spectral index

 $\rightarrow z \leq 0.4$

Redshift of 3C66A

Often quoted value of z = 0.444 is highly uncertain (Bramel et al. 2005), based on only one single emission line.

Model fits for different values of z = 0.1 - 0.444:

Problems of spherical, homogeneous models

If the entire SED is produced by the same electron population, variability at all frequencies should be well correlated – but ...

Cross-correlations between frequency bands and time lags do not show a consistent picture

<u>3C454.3 (2007):</u> AGIIE γ-rays vs. R-band <u>Markarian 421 (2005 - 2006):</u> X-rays vs. TeV γ-rays

(Horan et al. 2008)

=> (0.2 – 10 keV) X-rays leading the VHE γ-rays by ~ 1 week?

Time lags and spectral hysteresis between different X-ray energies seen with changing sign /direction!

lag) of γ -rays behind R-band (?)

Sokolov et al. (2004), Mimica et al. (2004), Sokolov & Marscher (2005), Graff et al. (2008), Joshi (2009)

Time-Dependent Electron Distributions

Competition of injection of a power-law distribution of relativistic electrons with radiative cooling

At any given time $t_{em}(x) = time$ Time-dependent elapsed since the shock has electron distribution: crossed a given point x **Injection** Q(3) $d\gamma/dt = -v_0\gamma^2$ $N(\gamma, t)$ (q+1) $t_{cool} = \gamma / |d\gamma/dt| = 1 / (v_0 \gamma)$ \rightarrow Spectral break at γ_{c} , γ_{min} γ_1 γ_{c} γ_2 γ_1 where $t_{em}(x) = t_{cool}$ γ_2

 $\gamma_{\min} = (\gamma_1^{-1} + \nu_0 t)^{-1}$

Radiation Mechanisms

$$\nu F_{\nu}(\epsilon, t_{\rm obs}) = \frac{D^4 \pi R^2}{d_L^2} \int_{\overline{x}_{\rm min}}^{x_{\rm max}} \overline{\epsilon} \, j_{\overline{\epsilon}}(\overline{x}, \overline{t}_{\rm x,em}) \, d\overline{x}$$

<u>1) Synchrotron</u> $B_{f,r} = \sqrt{8\pi r \epsilon_B \left(\overline{\Gamma}_{f,r}^2 - \overline{\Gamma}_{f,r}\right) n'_{a,b} m_p c^2}$

Delta-function approximation for synchrotron emissivity:

$$j_{\overline{\epsilon},\mathrm{sy}} = \frac{c\,\sigma_T\,B^2\,\overline{\epsilon}}{48\pi^2\,b^2\,\gamma_{\mathrm{sy}}}\,n_e(\gamma_{\mathrm{sy}})$$

=> $vF_v^{sy}(t_{obs})$ can be calculated fully analytically!

Radiation Mechanisms (contd.)

2) External-Compton

Delta-function approximation for Compton cross section + mono-energetic, isotropic external radiation field

=> $vF_v^{EC}(t_{obs})$ can be calculated fully analytically!

3) Synchrotron-Self Compton

Emissivity with delta-function approximation for the Compton cross section:

=> Two integrations to be done numerically.

Parameters / SED characteristics typical of FSRQs or LBLs

Snap-shot SEDs and time-averaged SED over 30 ksec

Light Curves

Discrete Correlation Functions

Parameter Study

Varying the External Radiation Energy Density

SED Characteristics

Parameter Study

Varying the External Radiation Energy Density

DCFs / Time Lags

- 1. Leptonic models generally allow successful models for all classes of blazars, with increasing external-Compton dominance along the sequence from HBL \rightarrow IBL \rightarrow LBL \rightarrow FSRQ, but problems with the VHE emission of FSRQ 3C279.
- 2. Lepto-hadronic models provide successful SED fits to many blazars, in particular, 3C279, including VHE emission, but rapid variability is hard to explain.
- 3. SED modeling can be used to constrain redshifts of BL Lac objects: PKS 1424+240 \rightarrow z < 0.4; 3C66A \rightarrow z = 0.2 0.3.
- 4. Much progress in time-dependent, inhomogeneous models, in particular shock-in-jet models.
- 5. Semi-analytical internal-shock model can be used to predict inter-band time lags: Slight paramter variations can lead to reversal of time lags.