#### **Survey for Pulsars** and Extra-galactic **Radio Bursts**

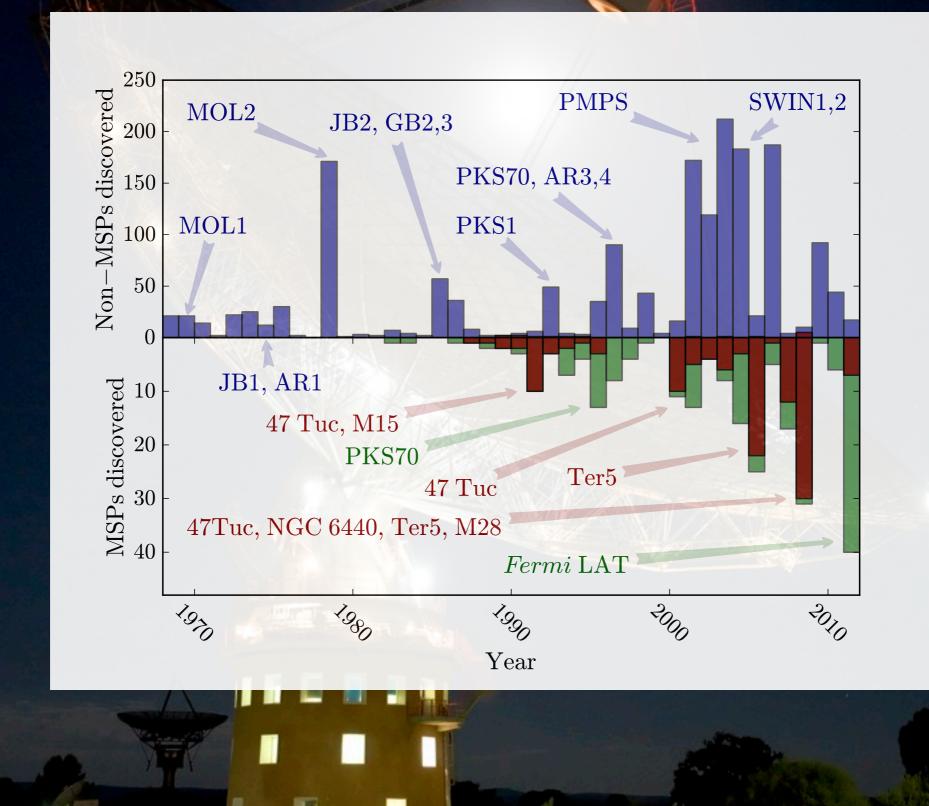




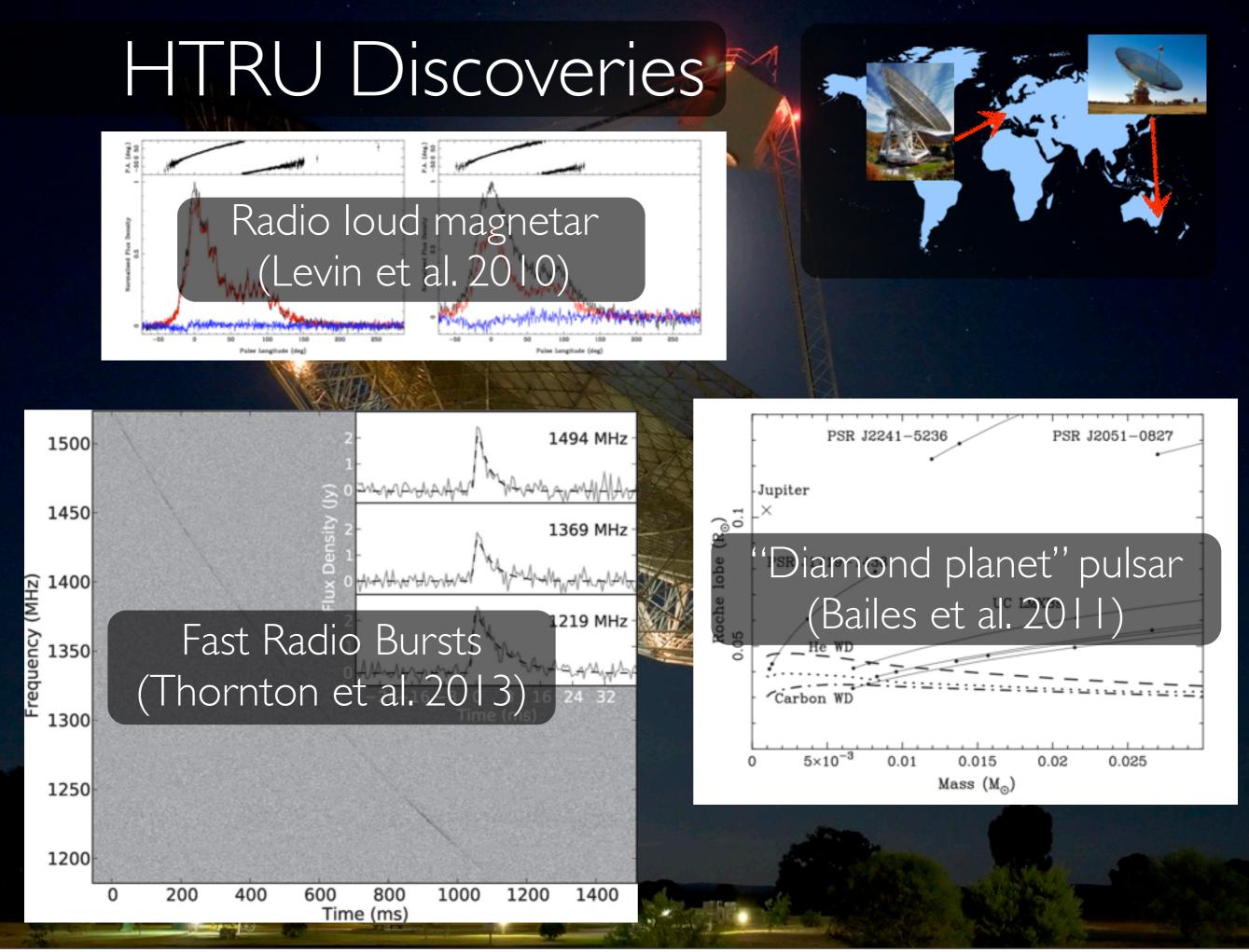
OF TECHNOLOGY

Ewan Barr SKA Senior Research Fellow,





Credit & © Shaun Amy



Tuesday, 17 June 14

# WHAT NEXT?

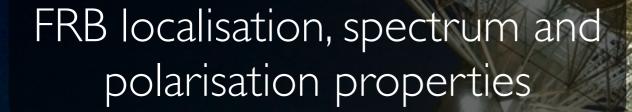
- Desire to keep momentum with new Parkes discoveries
- Many pulsars to be found before MeerKat, FAST and company come online
- Exotic systems often require multiple passes of any given survey field to be detected (scintillation is your frenemy)
- New processing tools available due to the wide availability high performance accelerator hardware
- New facilities available to perform shadowing and follow-up
- Many mysteries still to be solved and much science to be done (pulsars just keep giving)

#### Survey for Pulsars and Extra-galactic Radio Bursts

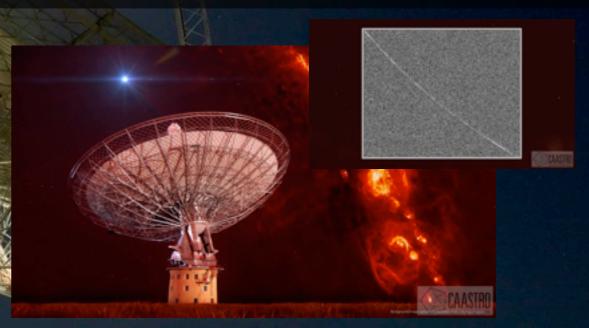
#### SUrvey for Pulsars and Extra-galactic Radio Bursts

#### S U P E R B

# KEY SCIENCE

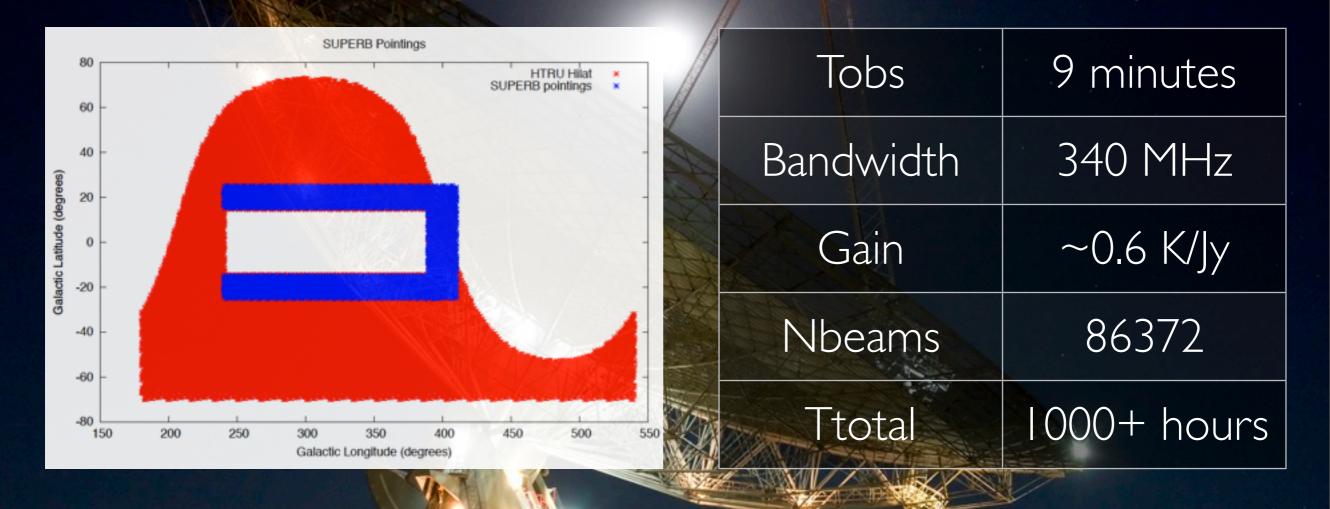






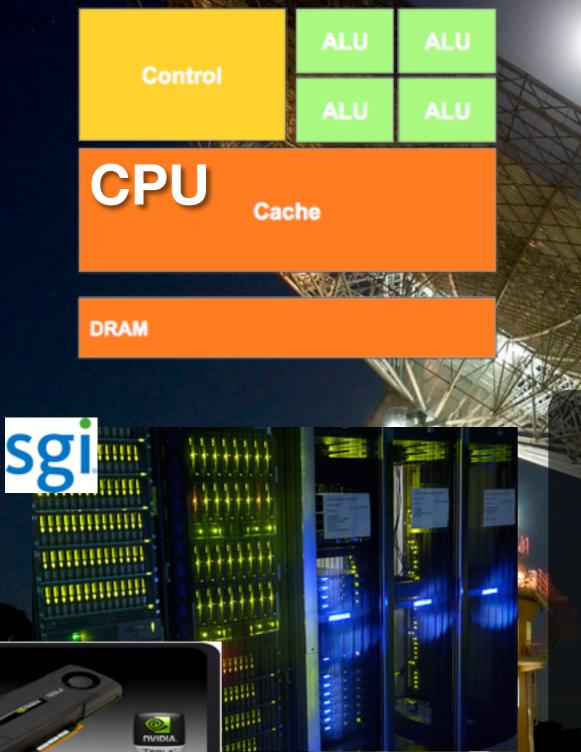
Technology demonstration for next-generation instruments

# TARGET FIELD



- Extends the HTRU medium latitude survey out to +-25 degrees
- Fills in "gaps" in HTRU high latitude tessellation pattern
- Probing latitudes known to contain FRBs

# TECHNOLOGY



gSTAR / swinSTAR cluster

DRAM

• 249 C2070, M2070 and K10 class GPUs

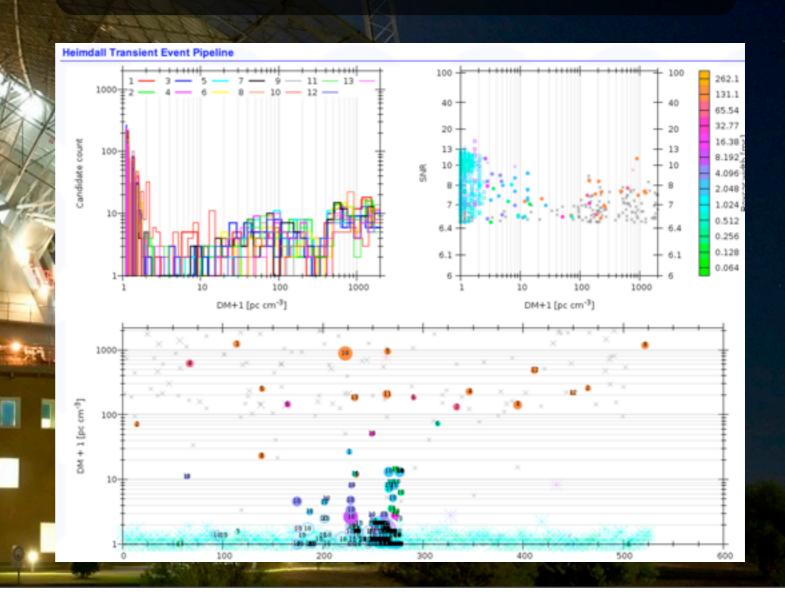
GPU

- BPSR pulsar search backend
- 14 C2070 class GPUs

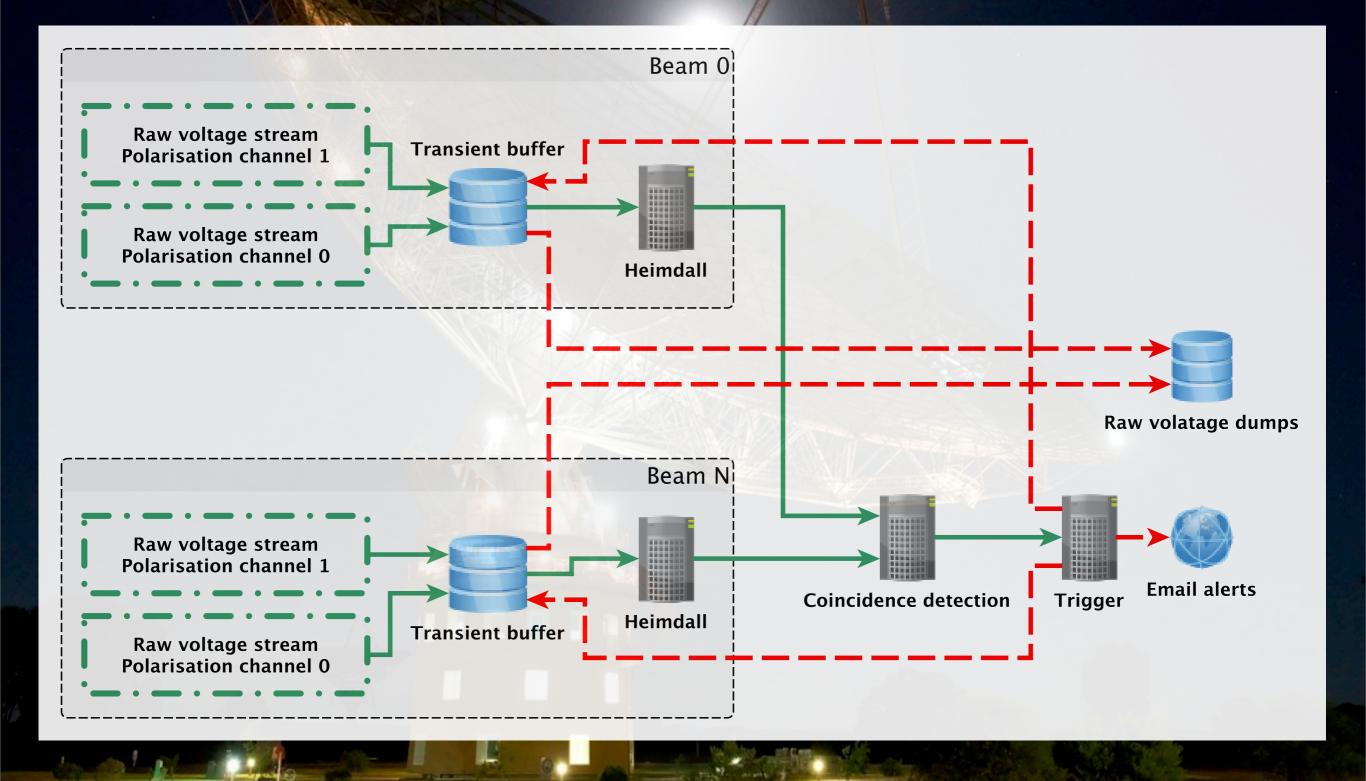
# REAL-TIMETRANSIENTS

#### HEIMDALL (Barsdell et al. in prep.)

- Searches out to a DM of 2000 pc/cc
- Sensitive to pulses as narrow as 64 us
- Discovered several FRBs and RRATS



## TRANSIENTS BUFFERS



#### REAL-TIME ACCELERATION SEARCH

•

#### PEASOUP (Barr et al. in prep.)

• Capable of high speed linear acceleration correction

• Required for detection of relativistic binaries

Fastest ever pulsar searching system (100 times)



#### Pea soup

Pea soup or split pea soup is soup made typically from dried peas, such as the split pea. It is, with variations, a part of the cuisine of many cultures. Wikipedia

Nutrition Facts Pea soup

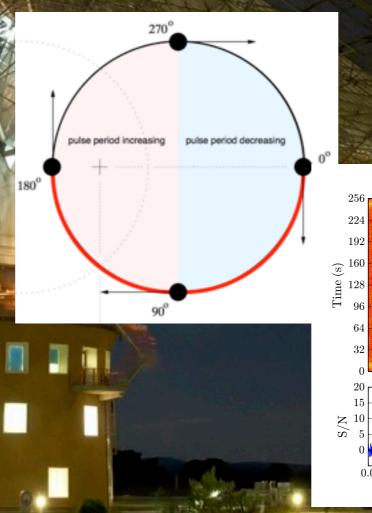
Amount Per 100 grams 👻

Calories 61

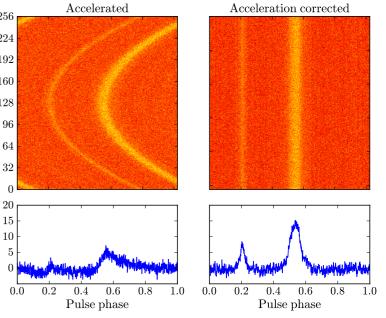
Total Fat 1.1 g

% Daily Value\*

1%



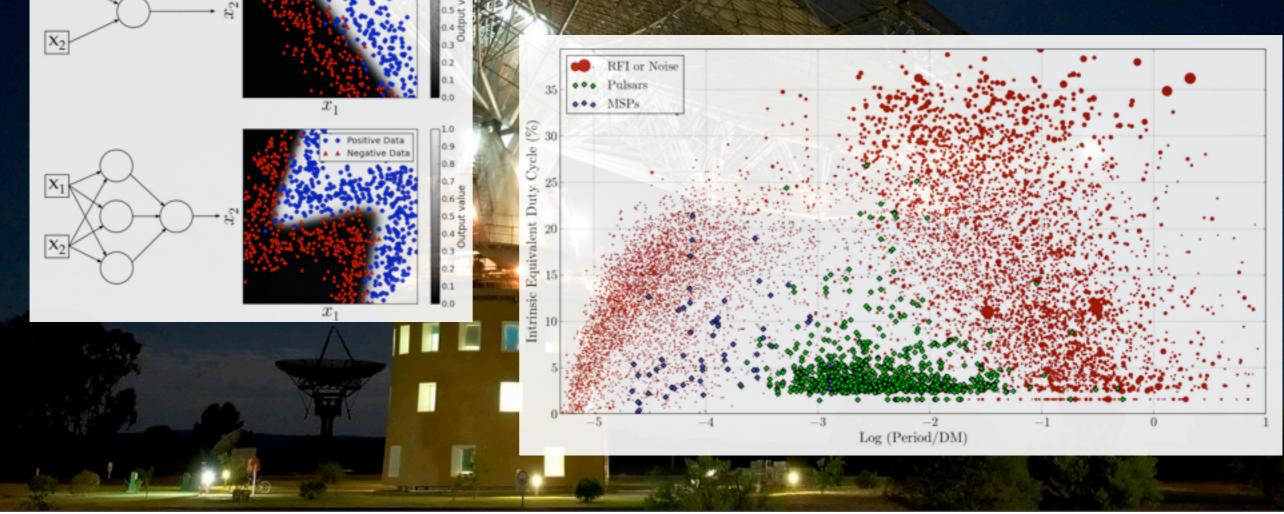




#### MACHINE LEARNING & CANDIDATE CLASSIFICATION

#### SPINN (Morello et al. 2014)

- "Minimalist" neural network implementation
- Implements multibeam candidate pre-selection
- Overcomes overspecification issues of predecessors
- 0.01% false positives for 100% recall rate



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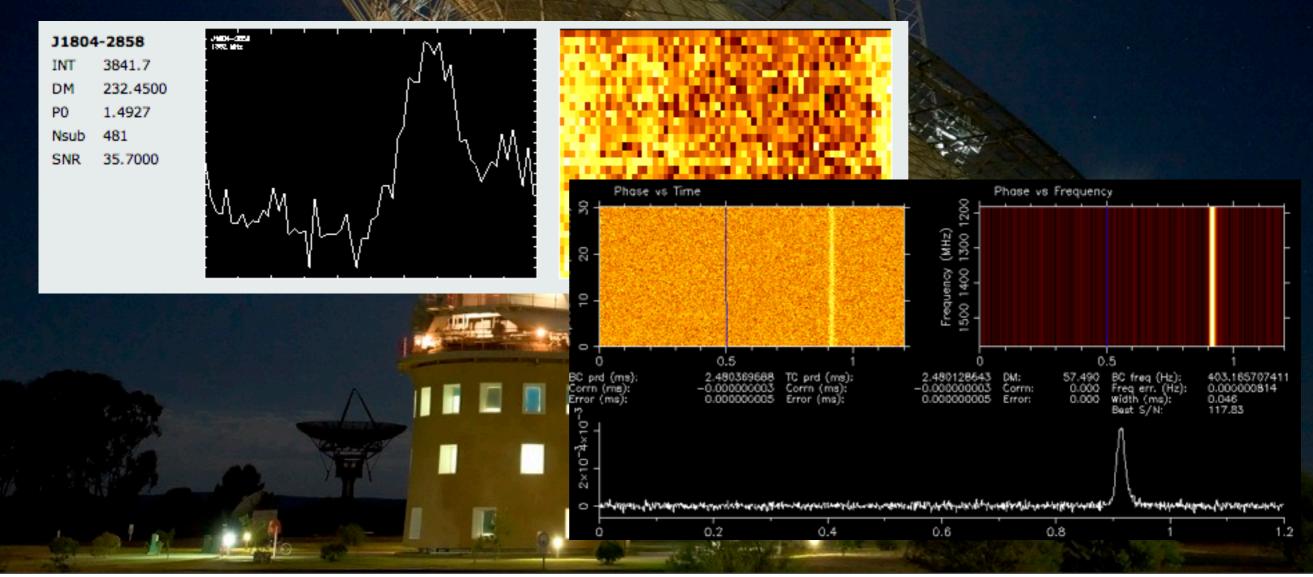
 $\mathbf{x}_1$ 

### PEASOUP + SPINN

Pipeline tested on HTRU medlat survey (50 m/s/s and 0-400 pc/cc)

• 7 new pulsars discovered (3 confirmed in real time)

• 3 MSPs including fastest pulsar outside of a globular cluster (669 Hz)



# SYNERGIES

#### Shadowing

# Multi- $\lambda$ followup

LIGO

ATCA

Thai





lagellan

# MOLONGLO

# MOLONGLO

- Key science objectives:
  - 24/7 burst monitoring for FRB population statistics
  - Timing of 500+ pulsars per day (glitch monitoring, timing noise investigations)

Frequency	843 MHz
Bandwidth	30 MHz
Gain	~3.5 K/Jy
FOV	9.76 sq.deg

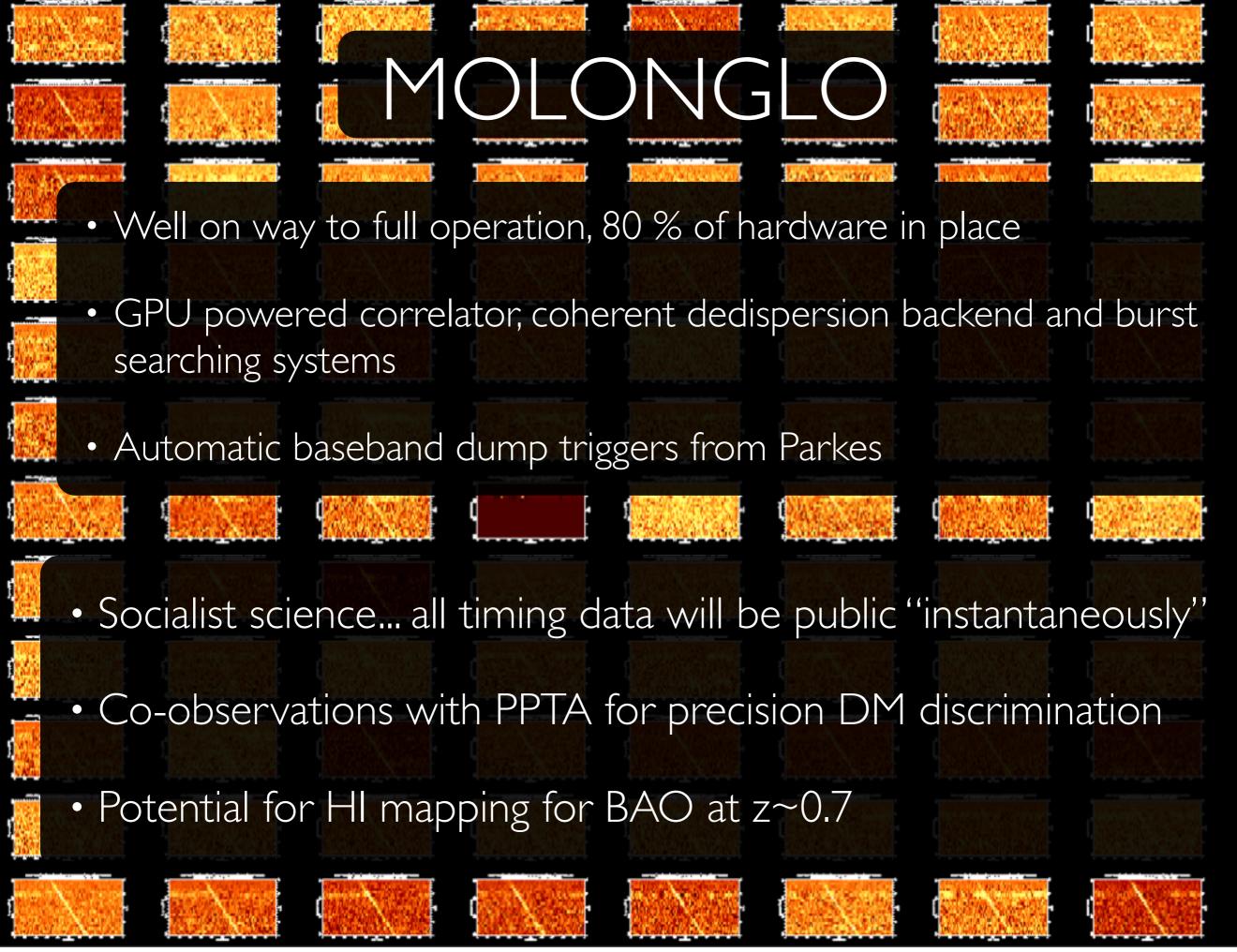
# MOLONGLO

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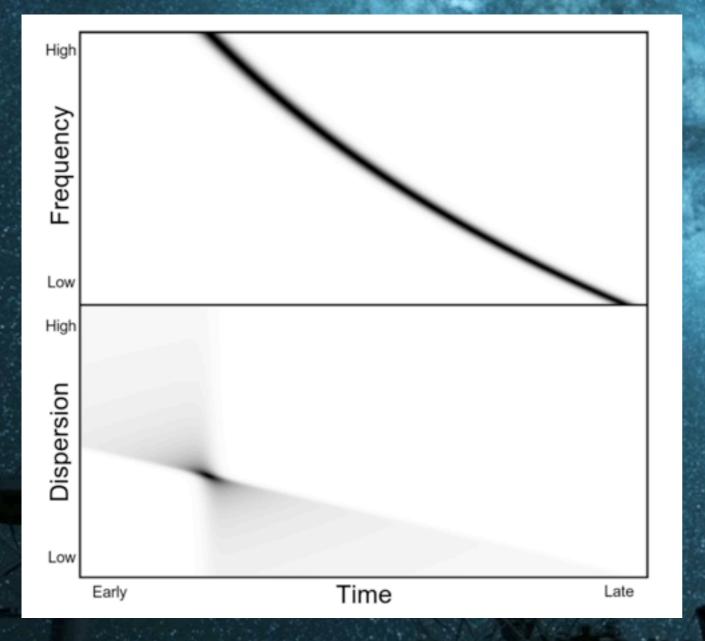
- Key SUPERB synergies:
  - Confirmation of the astrophysical origin of FRBs !!!
  - Better FRB localisation for optical/x-ray/radio follow-up
  - Much better constraints on the intrinsic spectra of FRBs (and on DM sweep index)

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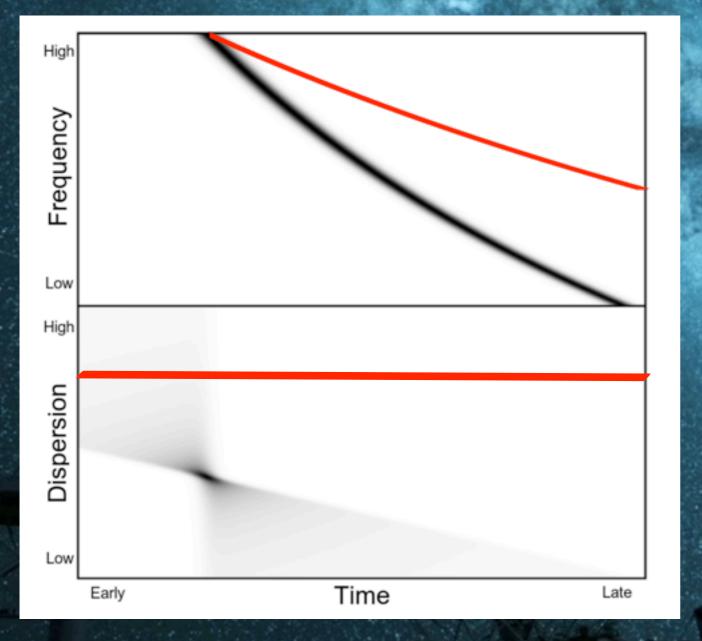
# CONCLUSIONS

- SUPERB will:
  - Find a host of new pulsar systems (~20 MSPs and ~100 normal pulsars)
  - Find & localise FRBs
  - Constrain FRB spectra
  - Provide the first FRB polarisation information
  - Solve the "June problem" and improve rate estimates
  - Demonstrate the immense power of GPUs for pulsar and transient searching
  - ...much more



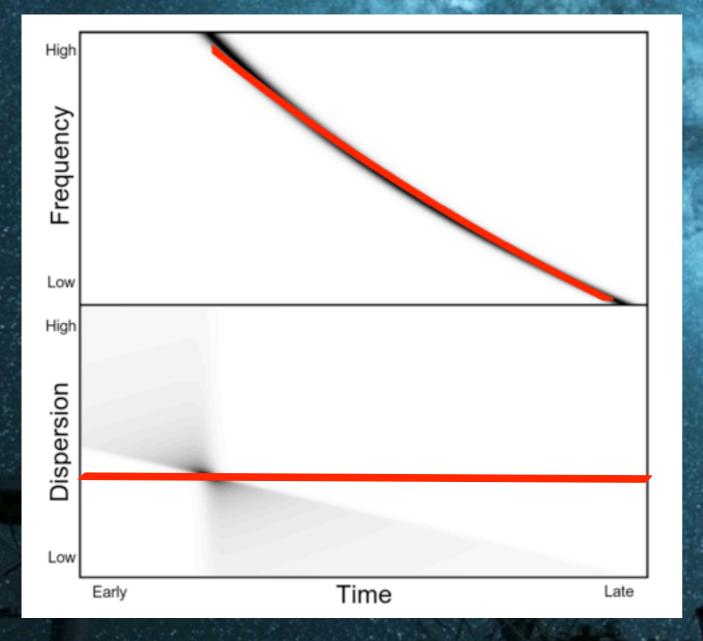
 $N_{\nu}$  $D_{\rm DM,t} = \sum A_{\nu,t+\Delta t(\rm DM,\nu)}$ 

#### Sum all frequencies along lines of constant dispersion measure



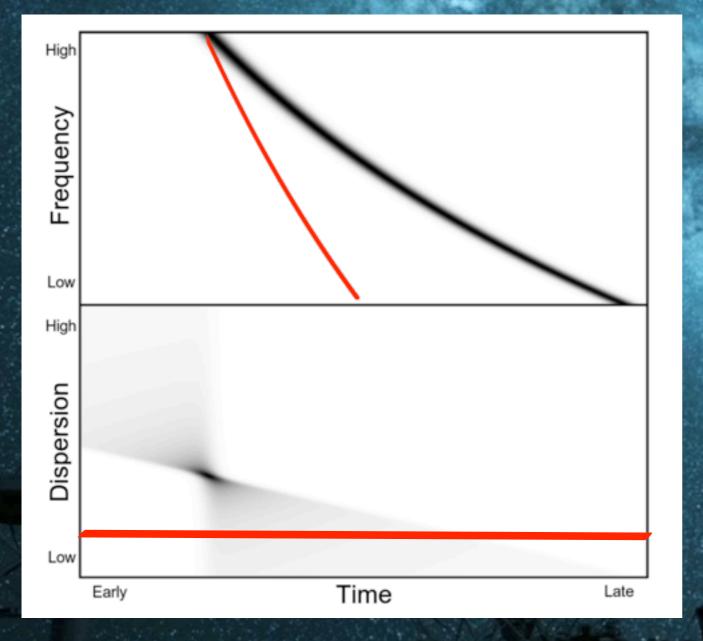
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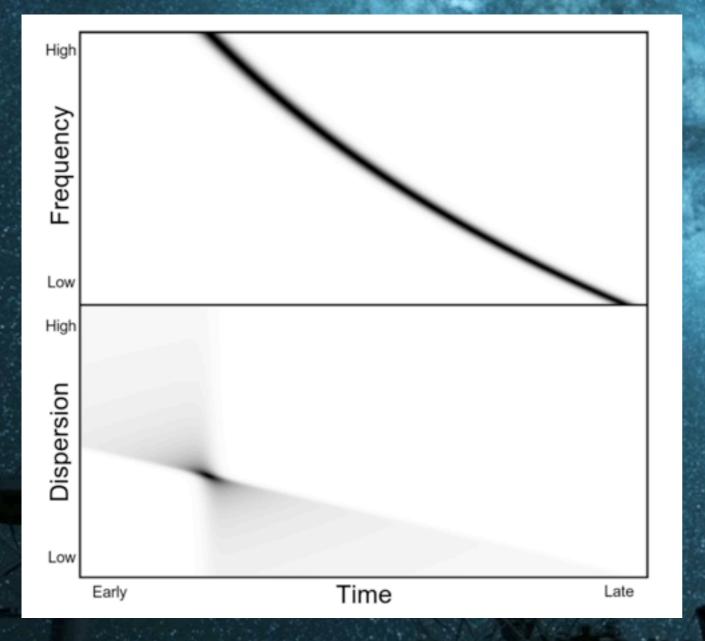
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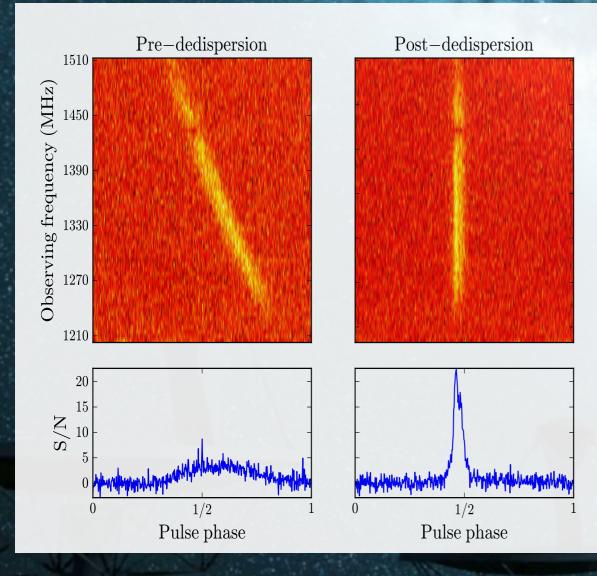
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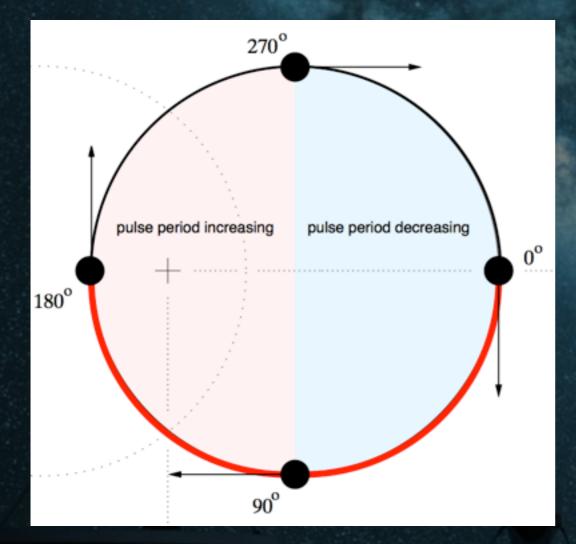


$$\Delta DM = \frac{-4\pi m_e c \nu_a^2 \beta (\epsilon \Delta \nu - \nu_a)^2}{e^2 \epsilon \Delta \nu (\epsilon \Delta \nu - 2\nu_a)}$$

$$\beta = \sqrt{w_{\rm int}^2 + t_{\rm samp}^2 + t_{\rm DM_{chan}}^2}$$

Typically ~3000 trials

## PULSAR SEARCH: ACCELERATION SEARCHING



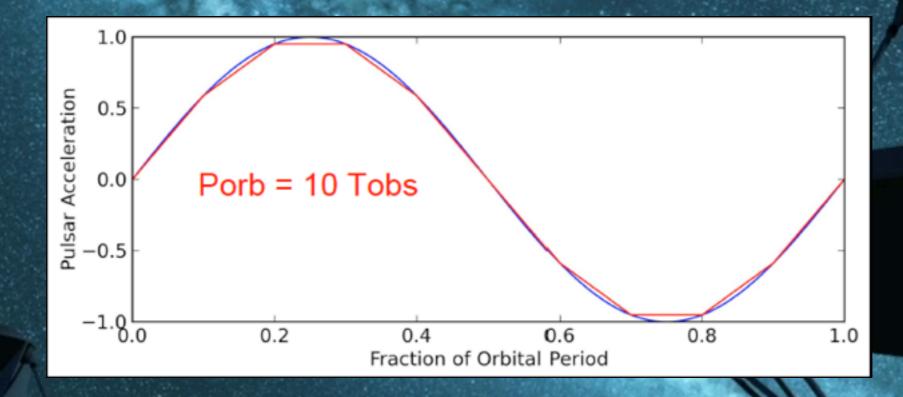
 Spin frequency of pulse is Doppler shifted by motion in orbit.

• Spreads signal in the Fourier domain, lowering S/N.

df/dt dependent on orbital acceleration.

$$a(A_T) = -\Omega_b^2 \frac{a_p \sin i}{1 - e^2} (1 + e \cos A_T)^2 \sin(\omega + A_T)$$

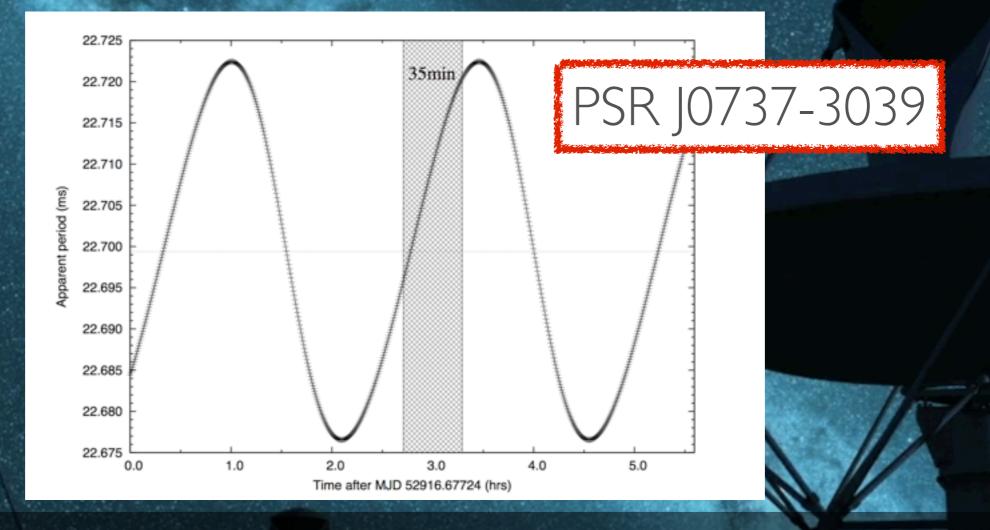
## PULSAR SEARCH: ACCELERATION SEARCHING



Searching all orbital parameters is too costly.

- Approximate df/dt as constant over segments of orbit.
- Valid approximation for circular orbits where  $T_{obs} < P_{orb}/10$ .

## PULSAR SEARCH: ACCELERATION SEARCHING



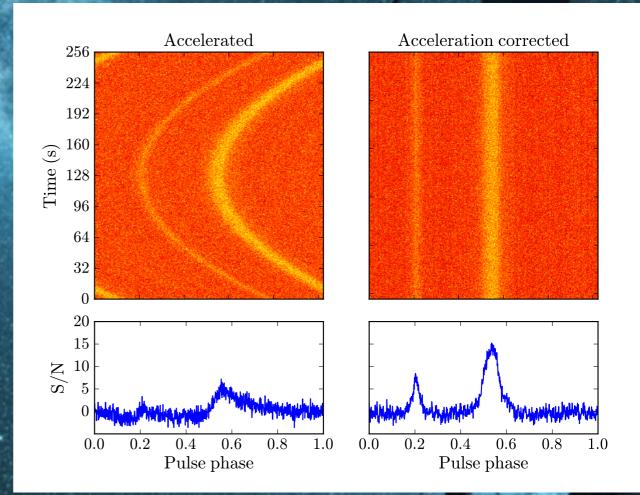
- For eccentric orbits, approximation breaks down.
- Either break observation and re-search, or reobserve in the hope of a better orbital phase.

## PULSAR SEARCH: TIME DOMAIN RESAMPLING

$$A_{a,t} = B_{t[1+a(t-t_{obs})/2c]}$$

Stretch and compress time series to emulate frequency drift

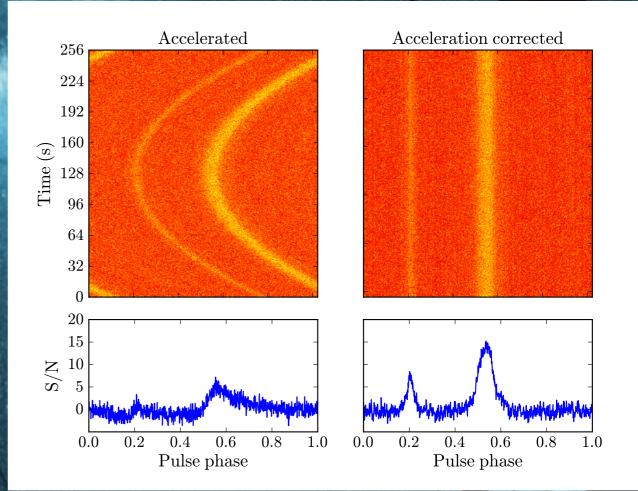
 $\mathcal{O}(N_a N_t N_{\rm DM})$ 



## PULSAR SEARCH: TIME DOMAIN RESAMPLING

$$\Delta a = \frac{48\beta c}{t_{\rm obs}^2} \sqrt{\left(\frac{1}{\epsilon^4} - 1\right)}$$

# Ntrials depends on $t_{obs}^2$ (10 mins gives 700 trials)



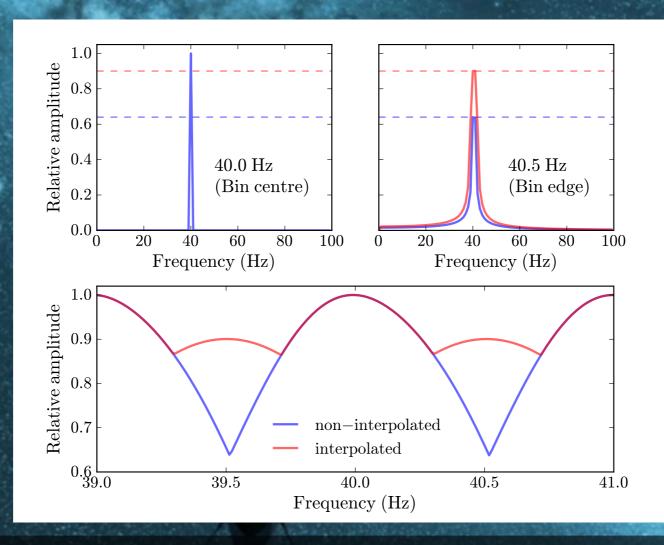
## PULSAR SEARCH: FAST FOURIER TRANSFORM

#### $\mathcal{O}(N_a N_{\rm DM} N_t \log_2 N_t)$

#### Best performance with prime factorable N

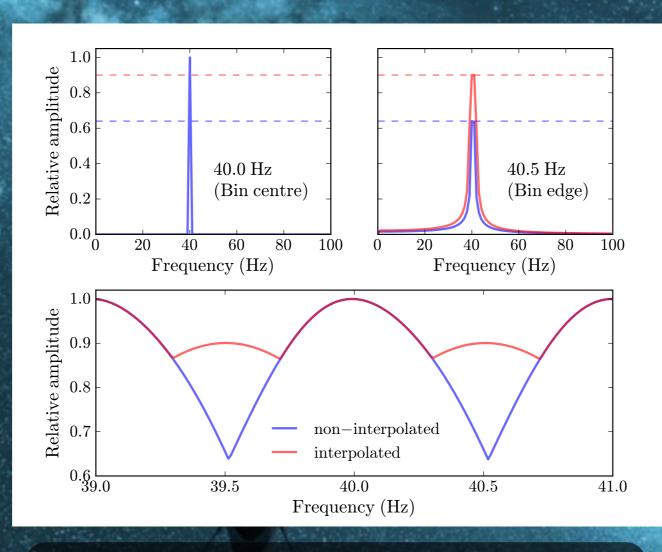
Real to complex FFT, exploits Hermitian symmetry to reduce complexity

## PULSAR SEARCH: SPECTRAL INTERPOLATION



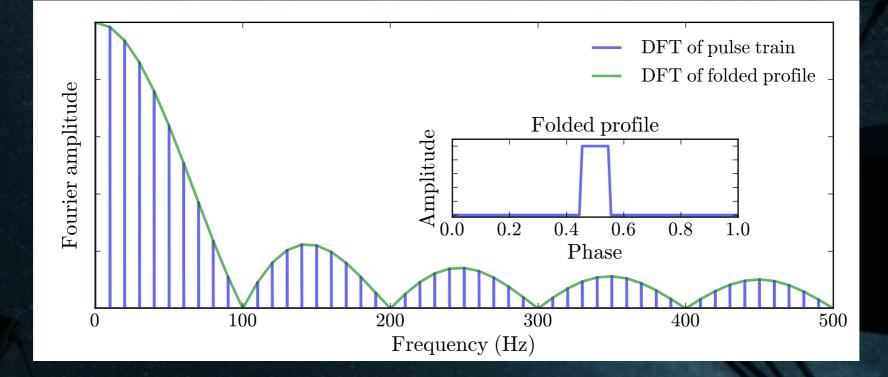
DFT response is imperfect at bin edges Interpolate to improve response to arbitrary frequencies

## PULSAR SEARCH: SPECTRAL INTERPOLATION



$$A_{i} = \max\left(B_{i}, \frac{1}{\sqrt{2}}(B_{i} + B_{i+1})\right)$$
$$\mathcal{O}(N_{a}N_{\text{DM}}N_{t})$$

## PULSAR SEARCH: HARMONIC SUMMING



- Pulse power spread in Fourier domain.
- Incoherently add harmonics to increase signal.
- For N<sub>h</sub> harmonic numbers.

## PULSAR SEARCH: HARMONIC SUMMING / PEAK FINDING

$$A_{i,N_h} = \frac{1}{\sqrt{N_h}} \left( B_i + \sum_h^{N_h} B_{(ih/N_h)} \right)$$

 $\mathcal{O}(2^{N_h}N_aN_{\rm DM}N_t)$ 

- After each harmonic sum we threshold the spectrum and mark candidates above the threshold.
- Sort candidates above threshold by signal-to-noise or power.
- Store candidates for application of clustering algorithms.

 $\mathcal{O}(N_h \overline{N_a N_{\mathrm{DM}} N_t})$